

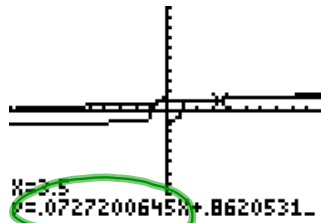
Warm Up

Determine the instantaneous rate of change for each of the following functions at the indicated time...

1. $H(t) = \sqrt[5]{\frac{5t^2 - 4}{3\pi t}}$ at $t = 3.5$

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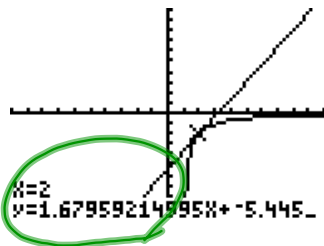
21021 Plot2 Plot3
\Y1 5 * T((5X^2-4)
(3 * X))
\Y2 =
\Y3 =
\Y4 =
\Y5 =
\Y6 =
    
```



IRC = 0.0727

2. $R(t) = \left(\frac{\ln(2t) - 5}{\sqrt{t^2 - 1}} \right)$ at $t = \frac{3}{8}$ sec

Does Not exist !!

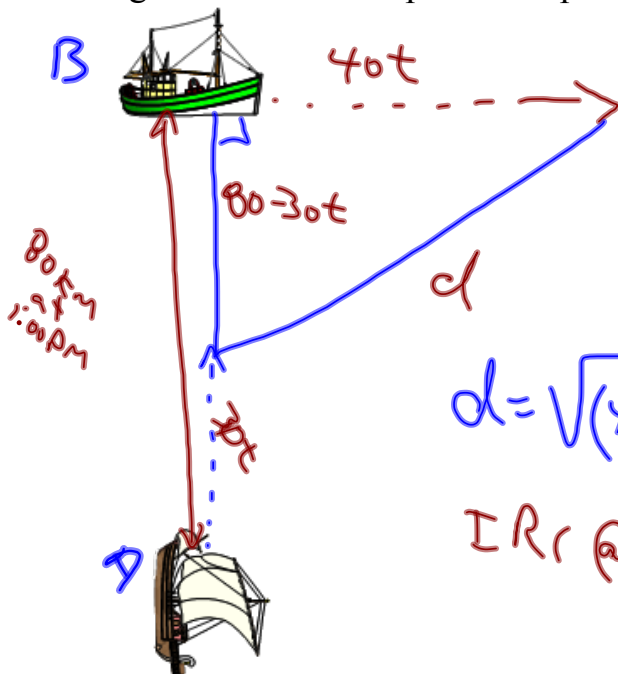


@ x=2

Example 4

At 1:00 pm ship A was 80 km due south of ship B. Ship A is travelling north at 10 km/h and ship B is travelling east at 40 km/h. What is the instantaneous rate of change between the ships at 3:00 pm?

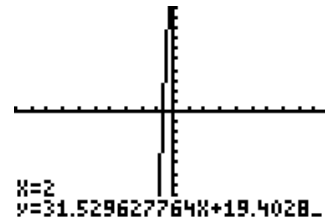
moving apart at 26 km/h



Let "t" Rep. time in hours since 1:00PM
 $d = st$

$$d = \sqrt{(40t)^2 + (80 - 30t)^2}$$

IRC @ $t=2$

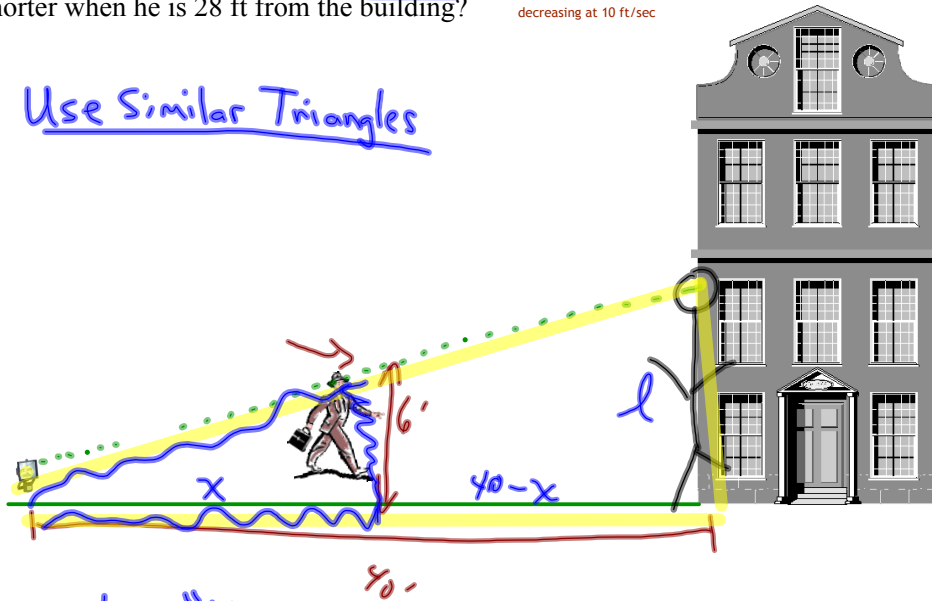


IRC at 3:00PM
 would be 31.53 km/h

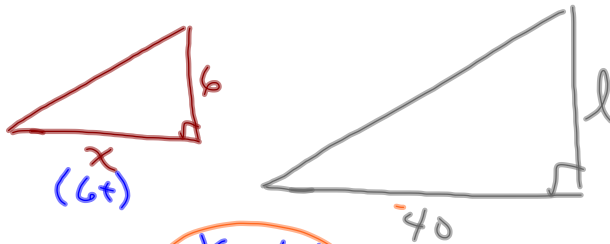
Example 5

A light is on the ground 40ft from a building. A man 6ft tall walks from the light towards the building at 6ft/s. How rapidly is his shadow on the building becoming shorter when he is 28 ft from the building? decreasing at 10 ft/sec

Use Similar Triangles



Let "t" Rep. time since he started to walk in seconds



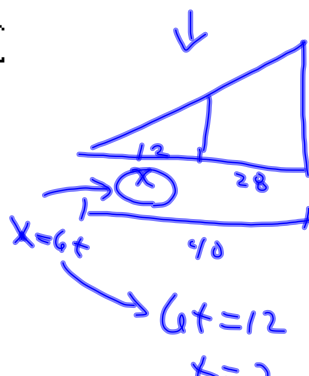
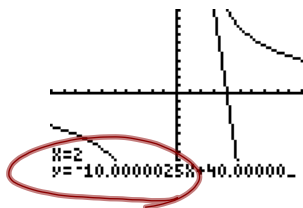
$$x = 6t$$

$$\frac{40}{x} = \frac{l}{6}$$

$$\frac{40}{6t} = \frac{l}{6} \leftarrow \text{Isolate for "l"}$$

$$l = \frac{240}{6t}$$

When do we want IRC?

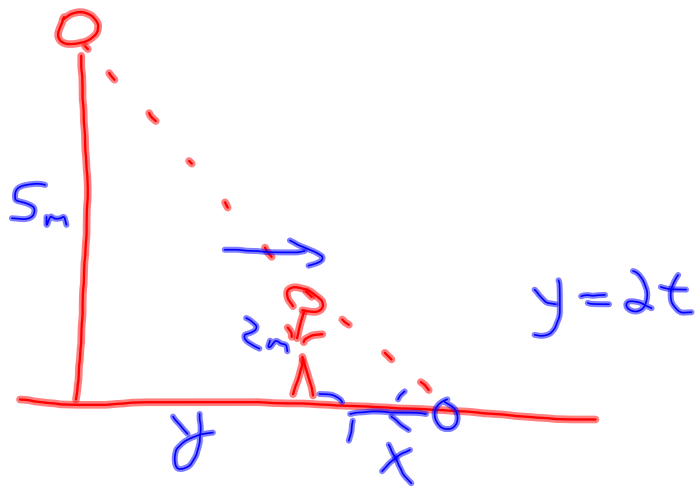


Shadow is becoming shorter at 10 feet/sec

Homework:

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#21, 27, 28, 29, 30, 31, 32



$$\frac{S}{2} = \frac{x+y}{2}$$

$$Sx = 2x + 2y$$

$$3x = 2y$$

$$x = \frac{2}{3}y$$