## Warm-Up

### SOLUTION!!!

Express the following as a complex number standard form (a + bi).

$$3i^{5} + (2i^{6})^{5} + \frac{(-1+2i)-3(2+i)}{(-2+i)^{2}}$$

$$3(i^{2})i + 32i^{30} + - - i$$

$$(i^{2})^{5} + 4i + i^{2}$$

$$3i-32+-7-i$$
 $3+4i$ 
 $3+4i$ 

$$3i - 32 + -21 - 28i - 3i + 4$$
 $3i - 32 + -17 - 31i$ 

$$\left(-\frac{32}{1} - \frac{17}{25}\right) + \left(\frac{3}{1} - \frac{31}{25}\right)i$$

$$=\frac{817}{25}+44$$

3i^5+(2i^6)^5+(( -1+2i)-3(2+i))/( -2+i)² -32.68+1.76i Ans⊁Frac -817/25+44/25i

7.d) 
$$xi+yi^2-3xi+3yi^2=\frac{2}{i}(i)$$

$$xi-y-3xi-3y=-2i$$

$$Re=Re$$

$$I_{m}=I_{m}$$

$$-4y=0$$

$$x-3x=-2$$

$$y=0$$

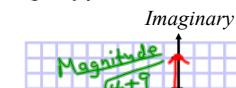
$$x=1$$

# Complex Plane

We can represent complex numbers in the complex plane.

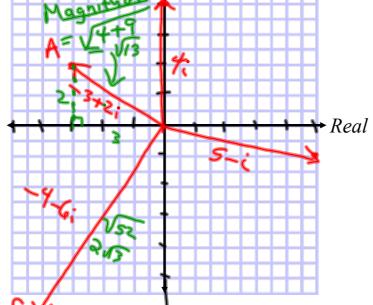
Argand Diagram

We use the **horizontal axis** for the **real part** and the **vertical axis** for the **imaginary part**. NOTE: (x, y) = (Re, Im)



**Examples:** 

A: 
$$-3 + 2i \Rightarrow (-3,2)$$

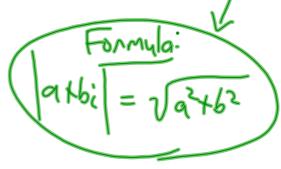


Referred to as an ARGAND DIAGRAM

- the magnitude of a complex vector uses the notation  $\left|a+bi\right|$  where the length is determined by the Pythagorean Theorem

EXAMPLE...

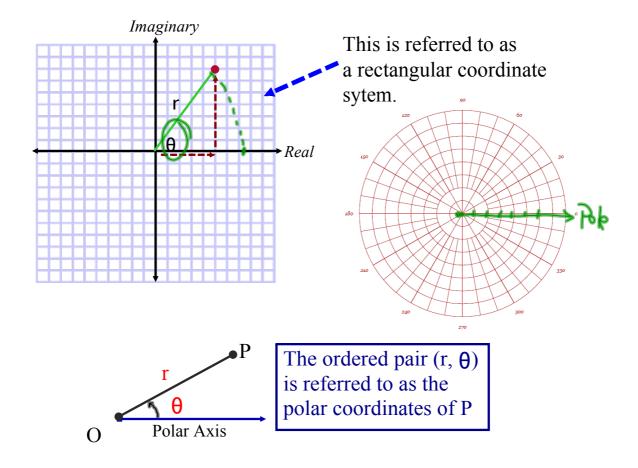
(B) 
$$|-2-4i|$$

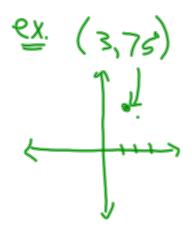


#### Polar Coordinate System

Graphing system that plots ordered pairs of the form  $(r, \theta)$ .

- is the absolute value or modulus. The distance from the origin to the point.
- $\theta$  is the angle of rotation from the starting position, referred to as the "pole".
- to locate a point, start with the point O, called the **pole** and a particular ray with its endpoint at O along the **polar axis**.

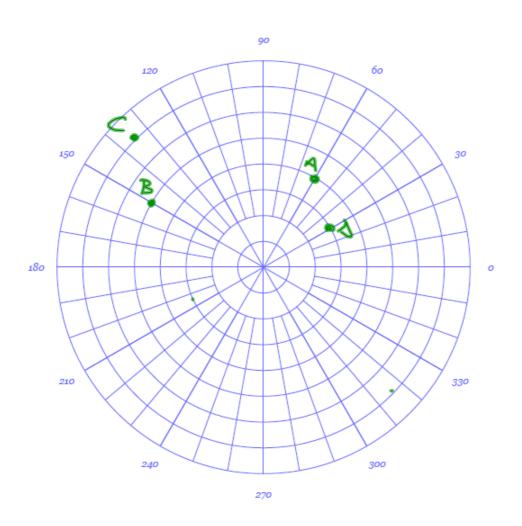


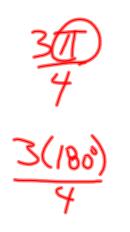


#### **Plotting Polar Coordinates:**

Plot each of the following points:

A 
$$(4, 60^{\circ})$$
 B  $(5, -210^{\circ})$  C  $(-7, 315^{\circ})$  D  $(-3, -150^{\circ})$ 





## Homework...

Assignment - Plotting Polar Coordinates.doc

Worksheet - Plotting Polar Coordinates.doc