

OCTOBER 7, 2015

UNIT 2: POWERS AND EXPONENT LAWS

**SECTION 2.1:
WHAT IS A POWER?**

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MATH 9



WHAT'S THE POINT OF TODAY'S LESSON?

We will begin working on the Math 9 Specific Curriculum Outcome (SCO) "Numbers 1" OR "N1" which states:

"Demonstrate an understanding of powers with integral bases (excluding base 0) and whole number exponents by: representing repeated multiplication using powers; using patterns to show that a power with an exponent of zero is equal to one; solving problems involving powers."



What does THAT mean???

SCO N1 means that we will learn about the two parts of a power (the base, or "the big number", and the exponent, or "the little number"). We will show what a power means when we write it out using multiplication (ex: $3^2 = 3 \times 3$), and we will use patterns to prove, for example, that $3^0 = 1$. Finally, we will use what we know about powers to solve problems.



UNIT 2: POWERS AND EXPONENT LAWS

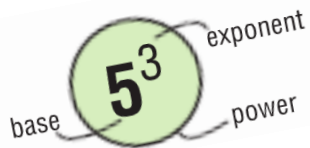


A digital display with a light green background and a grey border shows the calculation $(-7)^5 = -16807.$

PLEASE TURN TO PAGE 50 IN *MMS9*.

UNIT 2: VOCABULARY

1. POWER: an expression in the form of a^n , where a is the **base** and n is the **exponent**; it represents a product of equal factors.



ex.: $4 \times 4 \times 4 = 4^3$

2. SQUARE NUMBER: a number that can be written as a power with an integer base and an exponent of 2.

ex.: $49 = 7^2$

(49 is a square number)

3. CUBE NUMBER: a number that can be written as a power with an integer base and an exponent of 3.

ex.: $8 = 2^3$

(8 is a cube number)

125 CAN BE WRITTEN SEVERAL WAYS:

1. Standard Form: 125
2. As repeated multiplication: $5 \times 5 \times 5$
3. As a POWER: 5^3

(What kind of a number is 125? Think of definition #3...)

↓
cube number

**PLEASE TURN TO PAGE 53 IN *MMS9*.
LOOK AT EXAMPLE 1 - *WRITING POWERS*.**

**How would I write the following examples as
POWERS?**

1. $6 \times 6 \times 6 \times 6 \times 6 = 6^5$

2. $8 \times 8 \times 8 \times 8 \times 8 \times 8 \times 8 = 8^7$

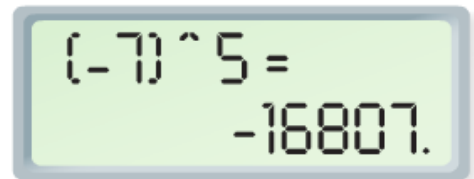
**PLEASE TURN TO PAGE 54 IN *MMS9*.
LOOK AT EXAMPLE 2 - *EVALUATING
POWERS*.**

**How would I write the following examples as
repeated multiplication and in standard form?**

$$\begin{aligned} 1. \quad 2^6 &= 2 \cdot 2 \cdot 2 \cdot 2 \cdot 2 \cdot 2 \\ &= 64 \end{aligned}$$

$$\begin{aligned} 2. \quad 10^5 &= 10 \cdot 10 \cdot 10 \cdot 10 \cdot 10 \\ &= 100\,000 \end{aligned}$$

Let's talk about the ways in which we can use our calculators to evaluate powers.



A digital calculator display with a light green background and a grey border. It shows the calculation $(-7)^5 = -16807.$ in black text.

There are 4 possible ways that I know of. Please let me know if there are others.)

1. xy

2. y^x

3. \wedge

4. x^\blacksquare

Examples 1 and 2 on pages 53 and 54 showed powers with positive integer bases; however, a power can also be negative or have a base that is a negative integer.

A quick review of "double signs"...

What do each of the following actually mean?

1. $+ (+) = +$

2. $- (-) = +$

3. $+ (-) = -$

4. $- (+) = -$

WHAT IS THE DIFFERENCE BETWEEN...

$(-5)^2$	$-(5^2)$	-5^2	$-(-5^2)$
$= (-5)(-5)$	$= -(5)(5)$	$= -(5)(5)$	$= -[-(5)(5)]$
$= 25$	$= -25$	$= -25$	$= -(-25)$
			$= 25$

Base = 5

CONCEPT REINFORCEMENT:

MMS9:

PAGE 55: #7 TO #9

PAGE 56: #11 TO #13 and #16