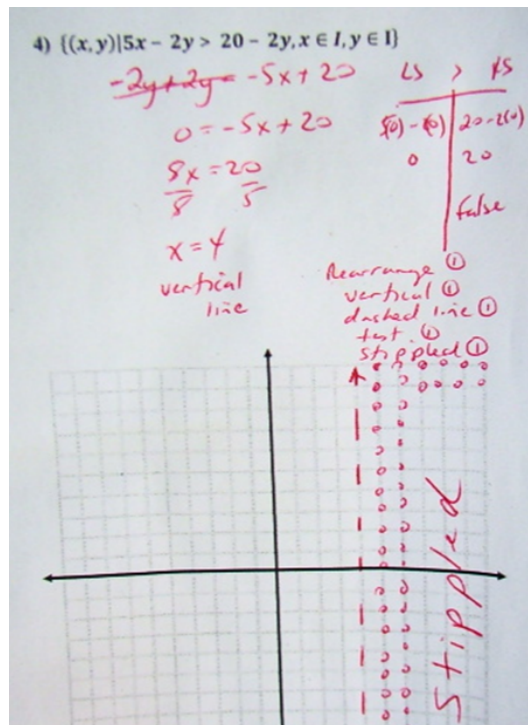
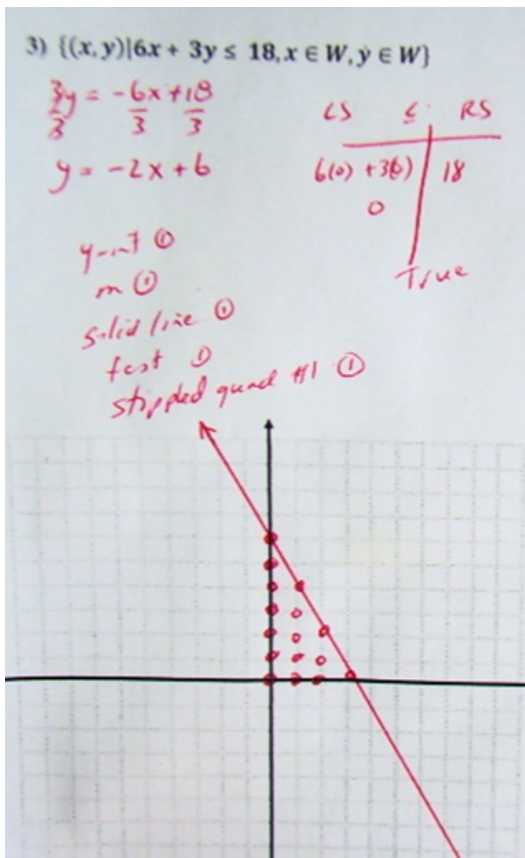
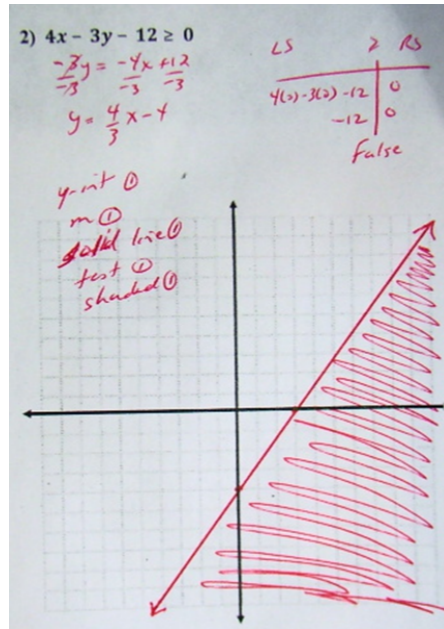
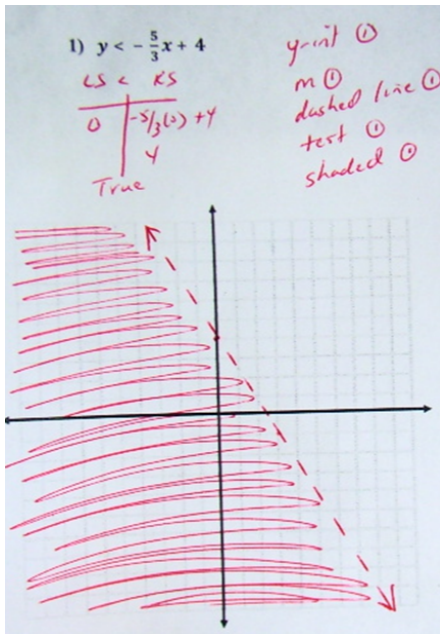


Quiz Solutions...



HOMWORK???

Page 248: #1, #2, #3, #5

NOTE:

Create a model means graph the solution region

2. A fast-food concession stand sells hotdogs and hamburgers.

→ Daily sales can be as high as 300 hamburgers and hot dogs combined.

- The stand has room to stock ~~no more than 200 hot dogs~~ and no more than 150 hamburgers.

Hot dogs are sold for \$3.25, and hamburgers are sold for \$4.75.

Create a model that could be used to determine the combination of hamburgers and hot dogs that will result in maximum sales.

$M = 4.75x + 3.25y$

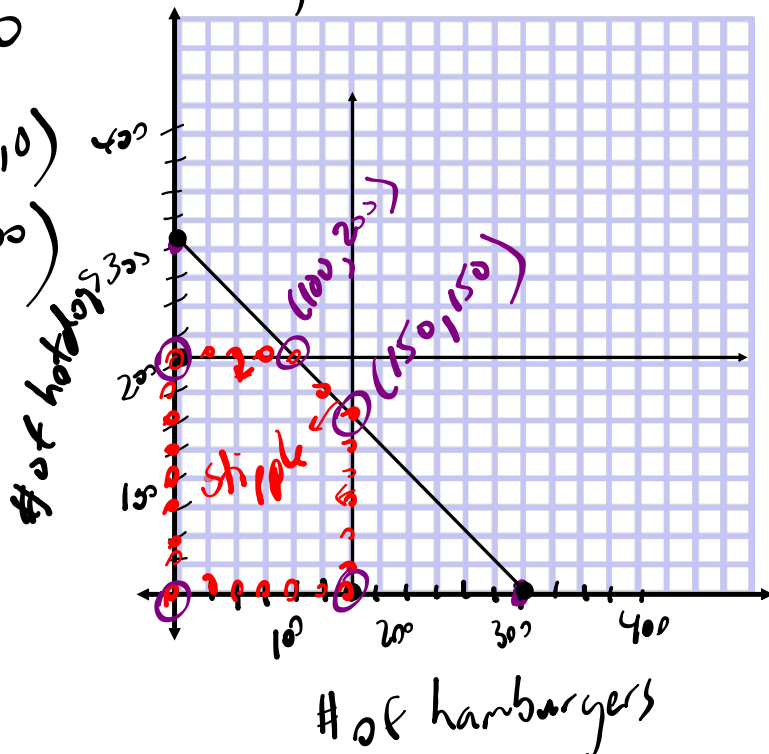
$x \rightarrow$ # of hamburgers sold $x \in W$
 $y \rightarrow$ # of hotdogs sold $y \in W$

LS: 4.75
 0 | 300
 Yes $x + y = 300$

$y \leq 200$
 $y = 200$

$x \leq 150$
 $x = 150$

$x_{int} \Rightarrow (300, 0)$
 $y_{int} \Rightarrow (0, 300)$



EXAMPLE #1...

overlap

The vertices of the feasible region of a graph of a system of linear inequalities are

$(-4, -8)$; $(5, 0)$ and $(1, -6)$. Which point would result in the minimum value of the objective function $C = 0.50x + 0.60y$?

** To find Min/Max... sub vertices into objective*

<i>vertex</i>	<i>$C = 0.50x + 0.60y$</i>
$(-4, -8)$	$0.5(-4) + 0.6(-8) = -6.8$ ← min $(-4, -8)$
$(5, 0)$	$0.5(5) + 0.6(0) = 2.5$
$(1, -6)$	$0.5(1) + 0.6(-6) = -3.1$

EXAMPLE #2...

The following model represents an optimization problem. Determine the maximum solution.

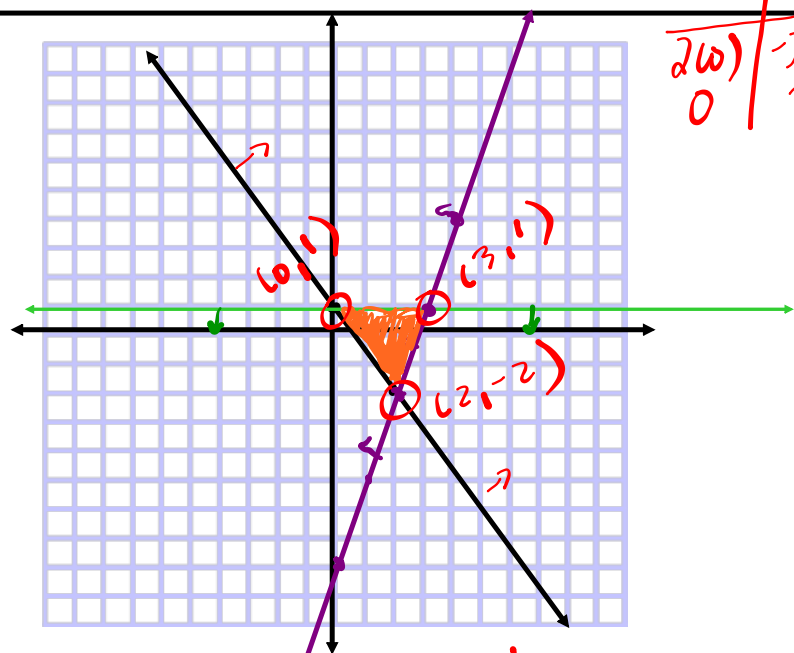
Restrictions: $x \in \mathbb{R}$ and $y \in \mathbb{R}$

Constraints: $y \leq 1$; $2y \geq -3x + 2$; $y \geq 3x - 8$

Objective Function: $D = -4x + 3y$

Test (0,1)
 $LS \geq RS$
 $\frac{2(0)}{2} \geq \frac{-3(0)+2}{2}$
 $0 \geq 1$ No

$\frac{2y}{2} = \frac{-3x+2}{2}$
 $y = -\frac{3}{2}x + 1$



$y = 1$ (horizontal)

$y = 3x - 8$

$LS \geq RS$
 $\frac{0}{0} \geq \frac{3(0)-8}{-8}$
 $0 \geq -1$ yes

Vertex Objective
 $D = -4x + 3y$

$(0, 1)$	$-4(0) + 3(1)$	3
$(3, 1)$	$-4(3) + 3(1)$	-9
$(2, -2)$	$-4(2) + 3(-2)$	-14

Max is 3

EXAMPLE #3...

$4 \times 12 = 48 \text{ total}$

Four MVHS teams are travelling to a basketball tournament in cars and minivans.

- Each team has no more than 2 coaches and 10 athletes
- Each car can take 4 team members. Each minivan can take 6 team members.
- No more than 6 cars are available, but more than 3 minivans are available.

Mr. Watters wants to know the combination of cars and minivans that will require the maximum number of vehicles...

Objective $\Rightarrow V = x + y$

a) Create an algebraic model to represent this situation.

$x \rightarrow$ # of cars
 $y \rightarrow$ # of minivans

$x \in \mathbb{W}$
 $y \in \mathbb{W}$

b) Graph the model.

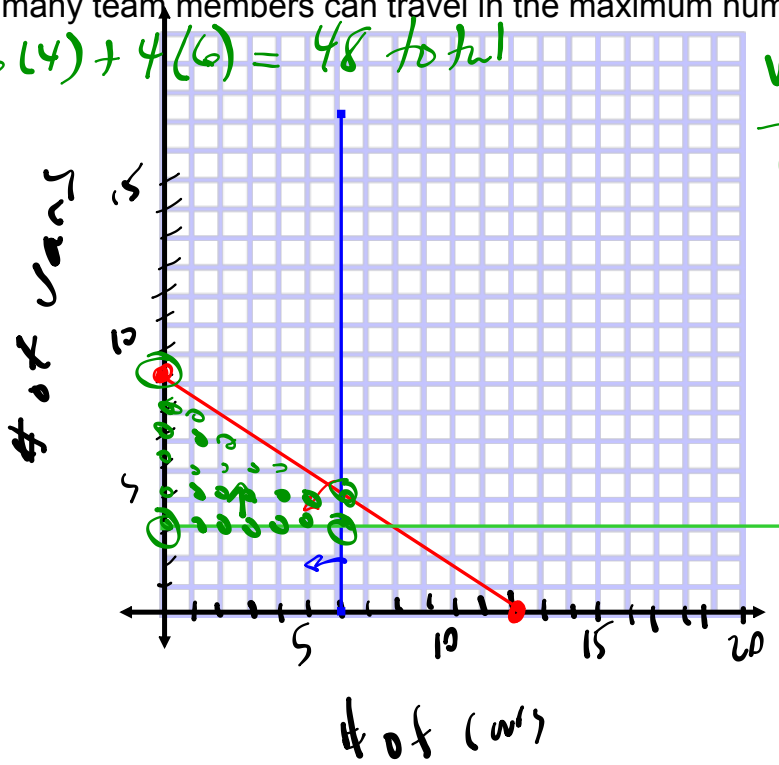
$4x + 6y \leq 48$
 $4x + 6y = 48$
 $\frac{4x + 6(0) = 48}{4} \Rightarrow x = 12$
 $(12, 0)$
 $\frac{4(0) + 6y = 48}{6} \Rightarrow y = 8$
 $(0, 8)$
 $x \leq 6$
 $y \geq 3$

c) What combination of cars/minivans will result in the maximum number of vehicles?

6 cars & 4 minivans

d) How many team members can travel in the maximum number of vehicles?

$6(4) + 4(6) = 48 \text{ total}$



vertex	$V = x + y$
$(0, 3)$	$0 + 3 = 3$
$(0, 6)$	$0 + 6 = 6$
$(6, 3)$	$6 + 3 = 9$
$(6, 4)$	$6 + 4 = 10$ Max

Practice Questions...

p. 252: #1 - 3

p. 259: #1 - 4