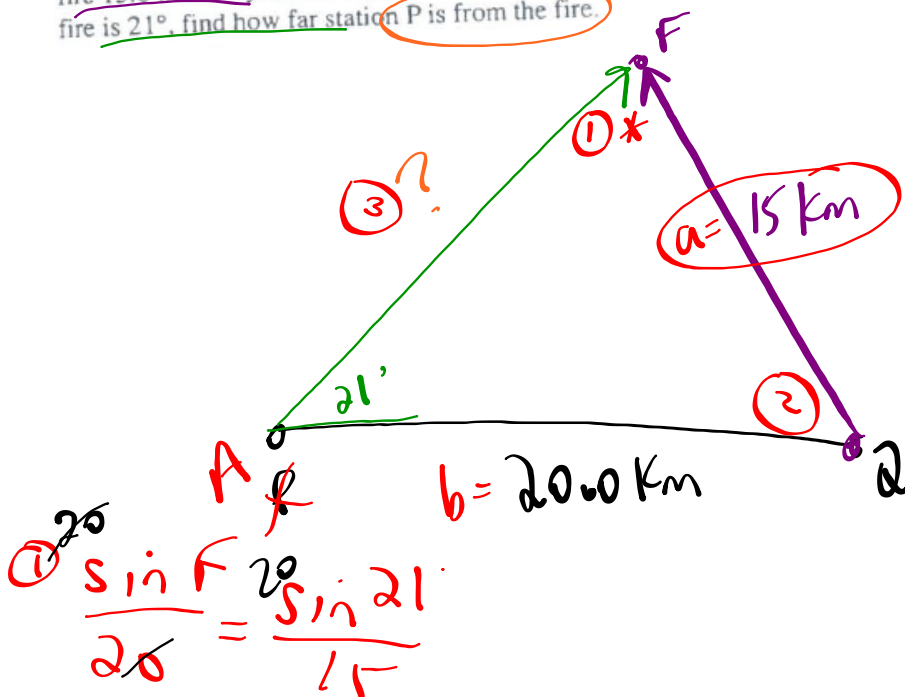


HOMEWORK ???

6 Two forest fire stations, P and Q, are 20.0 km apart. A ranger at station Q sees a fire 15.0 km away. If the angle between the line PQ and the line from P to the fire is 21°, find how far station P is from the fire.

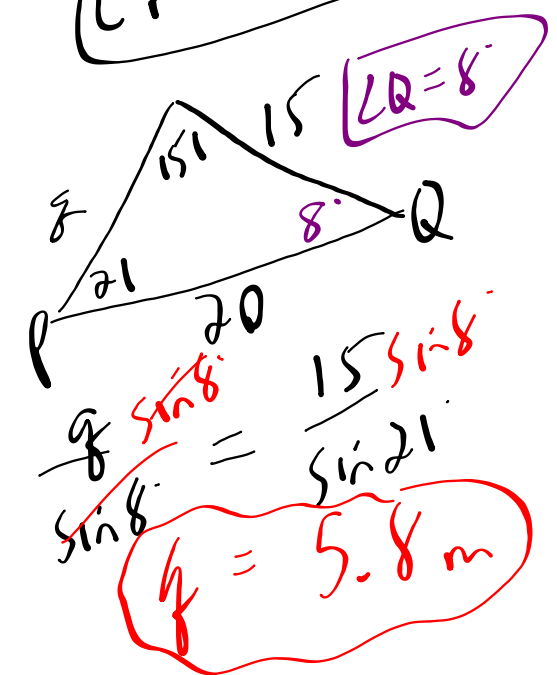
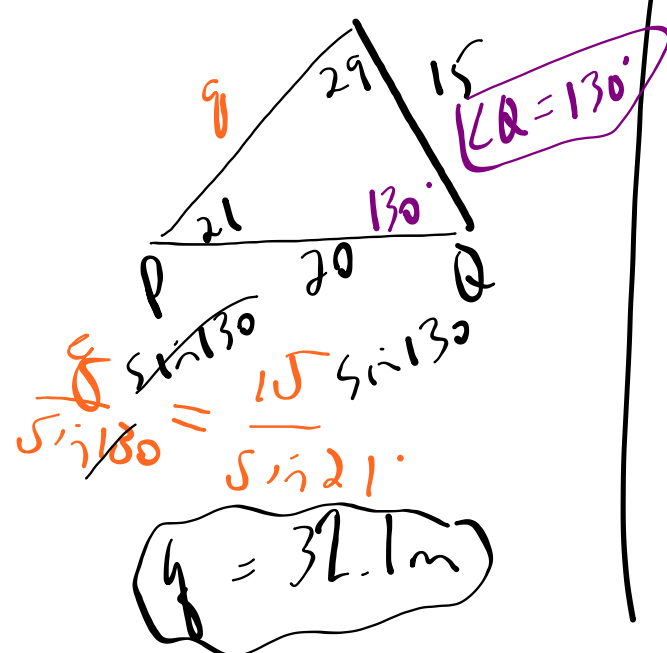


*ambiguous
 - SSA ✓
 - acute ✓
 - a < b ✓
 $alt = 20 \sin 21^\circ$
 $alt = 7.2$
 1) $a < alt$
 2) $a = alt$
 3) $a > alt$
 *ambiguous
 2 solutions

① $\frac{\sin F}{20} = \frac{\sin 21^\circ}{15}$

$\sin F = \frac{20 \sin(21)}{15}$
 .4778239327
 $\sin^{-1}(Ans)$
 28.54337582
 $\angle F = 29^\circ$

OR $\angle F = 180 - 29^\circ$
 $\angle F = 151^\circ$

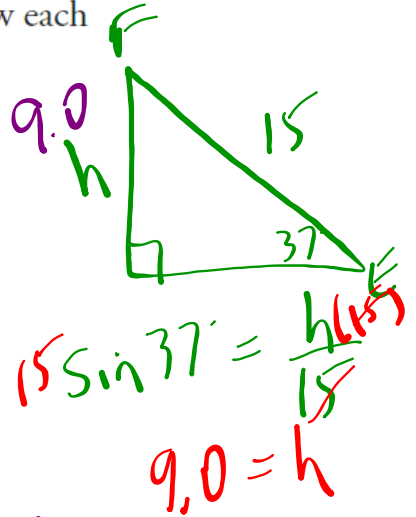
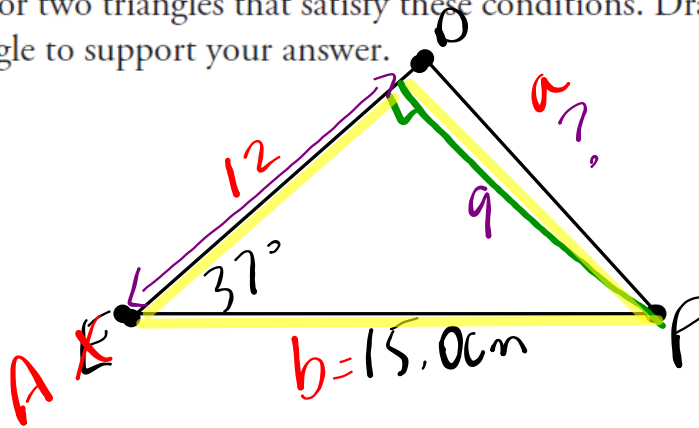


5. In $\triangle DEF$, $EF = 15.0$ cm and $\angle E = 37^\circ$.

a) Calculate the height of the triangle from base ED . 9.0 cm

b) Determine the possible lengths of side FD , so that there are zero, one, or two triangles that satisfy these conditions. Draw each triangle to support your answer.

3-4-5 } x3
9-12-15 }



	$\frac{a}{7}$	vs	$\frac{a}{9}$	No solution
1)	7	<	9	
2)	9	=	9	1 solution
3)	12	>	9	* ambiguous 2 solutions

```
110sin(35)/430
.1467288558
sin^-1(Ans
8.437406244
```

REVIEW - Trigonometry

• Pythagorean Theorem & Primary Trig Ratios

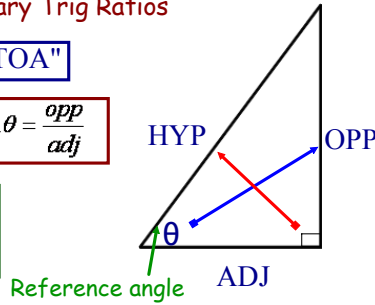
REMEMBER: "SOH CAH TOA"

$$\sin \theta = \frac{\text{opp}}{\text{hyp}}$$

$$\cos \theta = \frac{\text{adj}}{\text{hyp}}$$

$$\tan \theta = \frac{\text{opp}}{\text{adj}}$$

$$c^2 = a^2 + b^2$$



• Applications of Primary Trig

Angle of elevation - is the angle between the ground and the line of sight. (angle of inclination)



Always from the GROUND up

Angle of Depression - is the angle between the horizon and the line of sight.



Always outside the triangle

Also, note that the angle of elevation = angle of depression

• Law of Sines & Its Applications

$$\frac{a}{\sin A} = \frac{b}{\sin B} = \frac{c}{\sin C}$$

$$\frac{\sin A}{a} = \frac{\sin B}{b} = \frac{\sin C}{c}$$

"when looking for a side"

"when looking for an angle"

- **Ambiguous Case???** (Law of Sines - finding an angle) *SSA
- given a side (a), the angle opposite (A) and another side (b)...

CASE #1: $a > b \rightarrow$ only one solution

CASE #2: $a = b \rightarrow$ only one solution

CASE #3: $a < b$... Determine the altitude length (bsinA)

- (i) $a <$ altitude \rightarrow no solution
- (ii) $a =$ altitude \rightarrow one solution (right triangle)
- (iii) $a >$ altitude \rightarrow two solutions... (Ambiguous Case)

- (1) acute angle
- (2) obtuse angle ($180^\circ -$ acute)

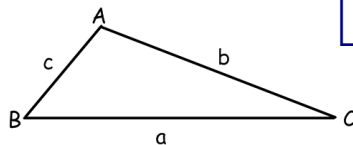
* Refer to the NOTES

$$\text{alt} = b \sin A$$

• Law of Cosines & Its Applications

Finding an unknown side...

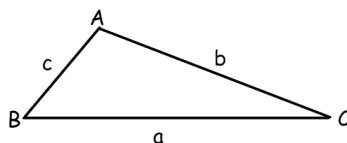
- 2 sides and a contained angle (SAS)



$$a^2 = b^2 + c^2 - 2bc \cos A$$

Finding an unknown angle...

- 3 known sides (SSS)



$$\cos A = \frac{b^2 + c^2 - a^2}{2bc}$$

- Bearings and Multi-step Word Problems
- "Solving" - find ALL angles & sides

Review for Test - Lots of Practice from the Textbook!!!

**Chapter Review...
(Frequently Asked Questions)**

**Page 128
Page 153
Page 174
Page 199**

*Chp. 3
Chp. 4*

Tuesday Test!

Practice Questions...

** Ambiguous case → 4.3*

Bearing #11, 12

**Page 129 #1 - 9
Page 154 #1 - 12
Page 175 #1 - 9
Page 200 #1 - 8**

*Chp. 3
Chp. 4*

Bearing #8

Practice Tests...

**Page 152 #1 - 8
Page 198 #1 - 7**

*Chp. 3
Chp. 4*