



Section 4.3

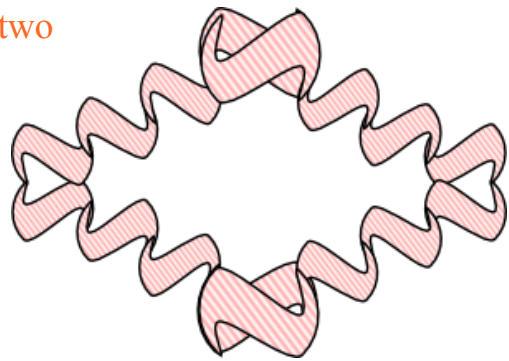


Another Form of the Equation for a Linear Relation

Suppose you have a piece of ribbon 20 cm long.

How many different ways could you cut it into two pieces?

The following table indicates the length of one piece (x), you fill in the length of the second(y)



x First Piece	y Second Piece
1 (-1)	19
2 (-1)	18
3	17
4	16
5	15
5.5	14.5
6	14
7	13
8	12
9	11
10	

How are the two lengths of the pieces, (x and y), related?

$$y = \frac{\Delta y}{\Delta x} x + b$$

$$y = -\frac{1}{1} x + 20$$

$$y = 20 - x$$

$$y = -x + 20$$

Can you represent this as an equation?

$$x + y = 20$$

$$y = 3x + 5 \quad \text{L}$$

$$y + x = 6 \quad \text{L}$$

$$2x^2 = 5 \quad \text{NL}$$

$$2x = y^2 \quad \text{NL}$$

$$\cancel{3x}^{-3x} + \boxed{2y} = 6^{-3x}$$

$$y = \frac{\Delta y}{\Delta x} x \pm \#$$

$$\cancel{\frac{2y}{2}} = \frac{-3x}{2} + \frac{6}{2}$$

$$y = -\frac{3}{2}x + 3$$

Use a table of values to graph the following.

hint: must use your equation to determine the change in your x values

$$y = \frac{\Delta y}{\Delta x} x \pm \#$$

$$y = \frac{2}{3}x - 5$$

$\Delta x = 3$ $\Delta y = 2$

x	y
-6	-9
-3	-7
0	-5
3	-3
6	-1

$$y = \frac{2(-6)}{3} - 5$$

$$y = \frac{-12}{3} - 5$$

$$y = -4 - 5$$

$$y = -9$$

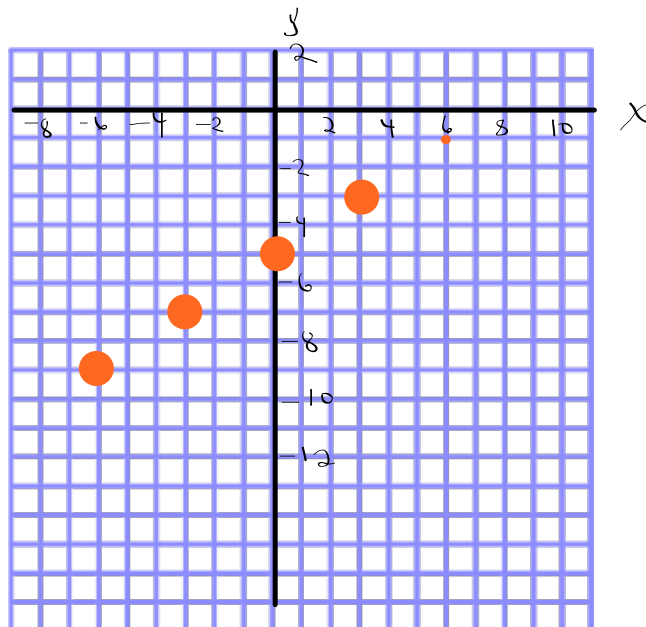
$$y = \frac{2(\quad)}{3} - 5$$

$$y = \frac{2(-3)}{3} - 5$$

$$y = \frac{-6}{3} - 5$$

$$y = -2 - 5$$

$$y = -7$$



Class/Homework

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7 d, #11,
8

9 c # 14

#10 c,e #16



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You try

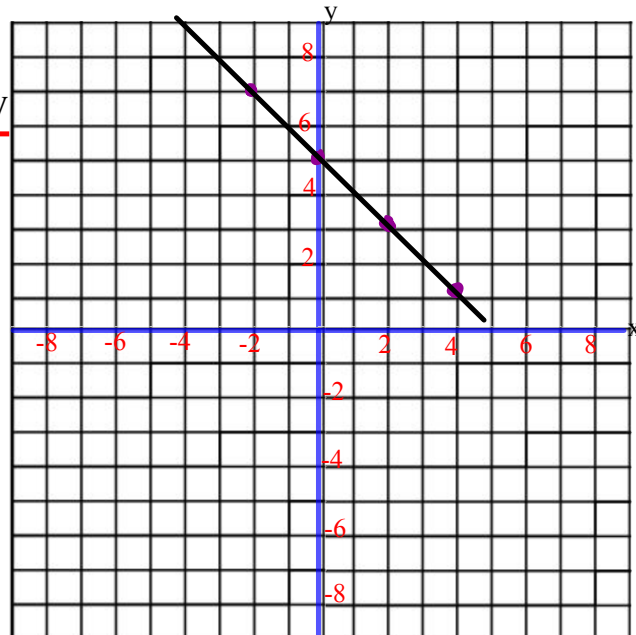
Two numbers have a sum of 5

Write an equation: $x + y = 5$

$$y = -\frac{1}{1}x + 5$$

$\Delta x = 1$

First Integer, x	Second integer, y
-6	11
-5	10
-4	9
-3	8
-2	7
-1	6
0	5
2	
4	
6	



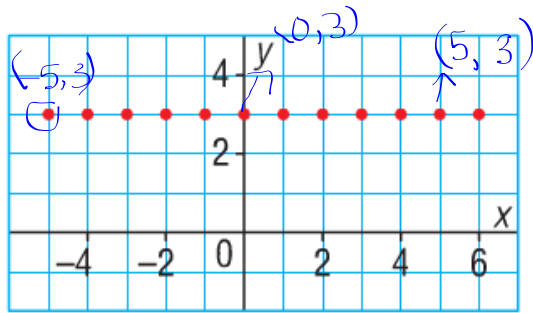
Is this a straight line?

Both variables on the left side of the equation

$$ax + by = c \quad a, b, c \text{ are just \#}$$

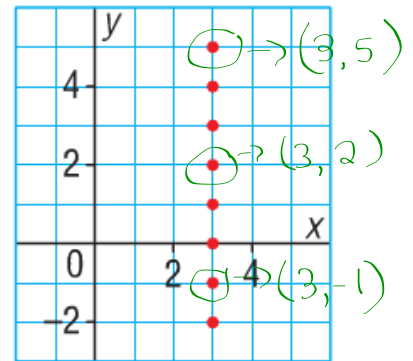
This is just another way to write the equation of a linear relation.

Horizontal vs. Vertical



$$y = 3$$

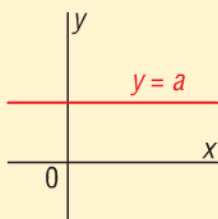
For every 'x' value y will always equal 3



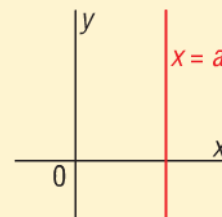
$$x = 3$$

For every 'y' value x will always equal 3

The graph of the equation $y = a$, where a is a constant, is a horizontal line. Every point on the graph has a y -coordinate of a .



The graph of the equation $x = a$, where a is a constant, is a vertical line. Every point on the graph has an x -coordinate of a .



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For each equation below:

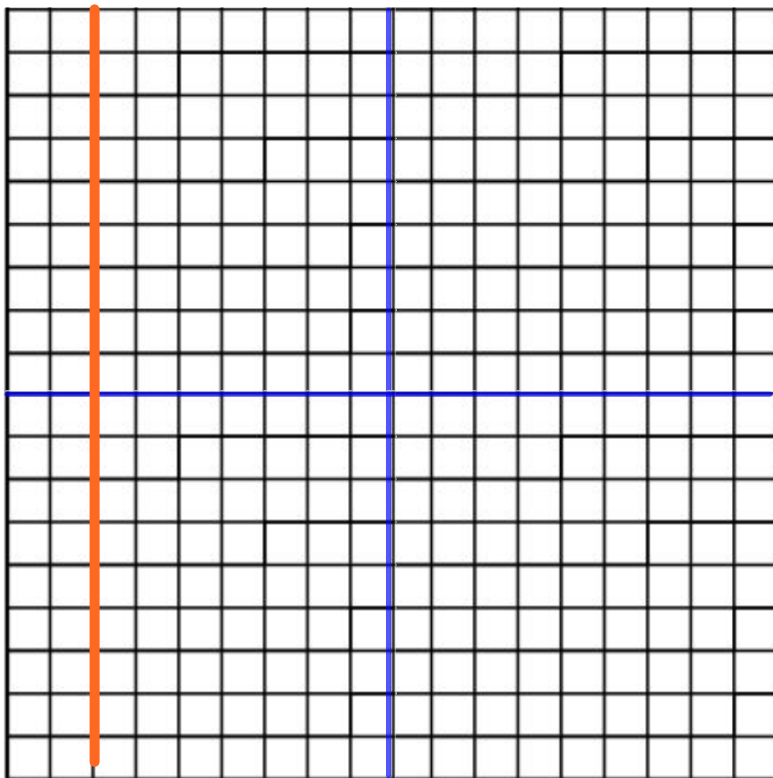
- i) Graph the equation
- ii) Describe the graph.



a) $x + 7 = 0$

$x = -7$

vertical



For each equation below:

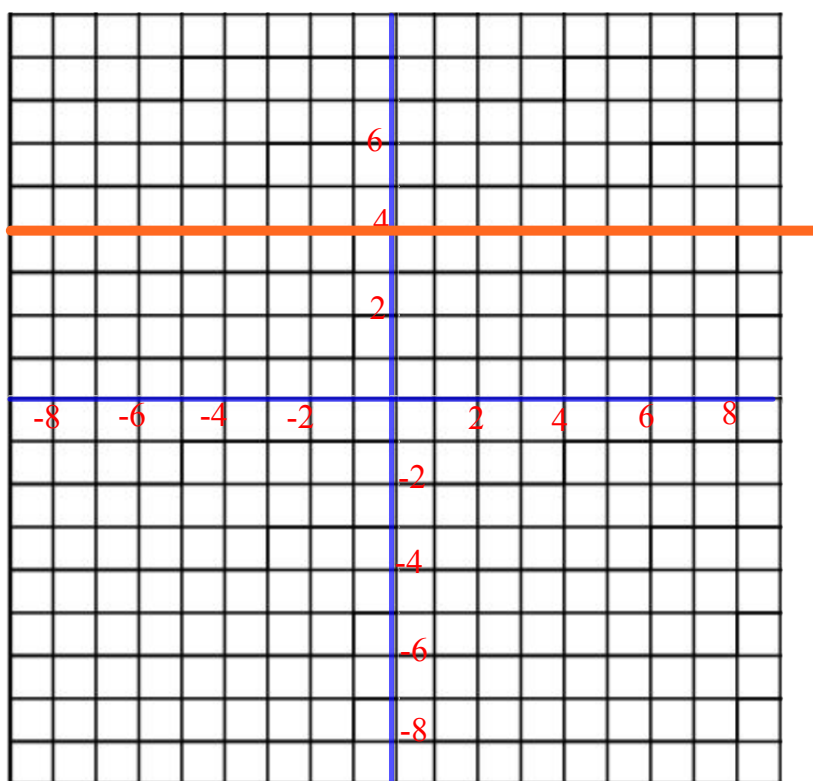
i) Graph the equation

ii) Describe the graph.

Horizontal

b) $\frac{2y}{2} = \frac{8}{2}$

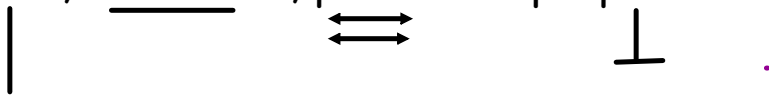
$y = 4$



Oblique Lines



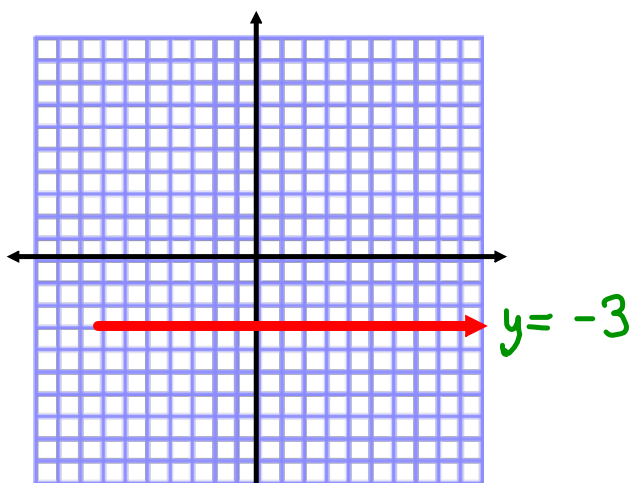
An oblique line can be diagonal, sloping or slanted. It is not vertical, horizontal, parallel or perpendicular



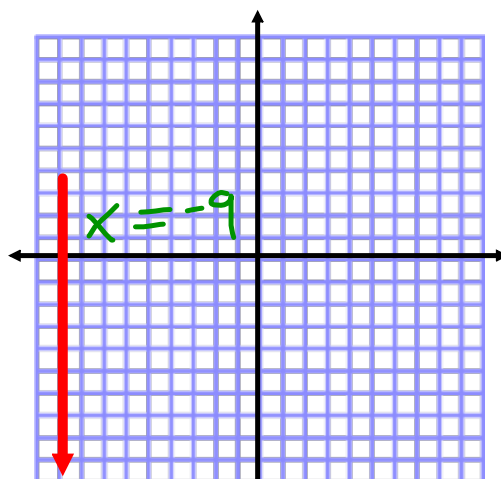
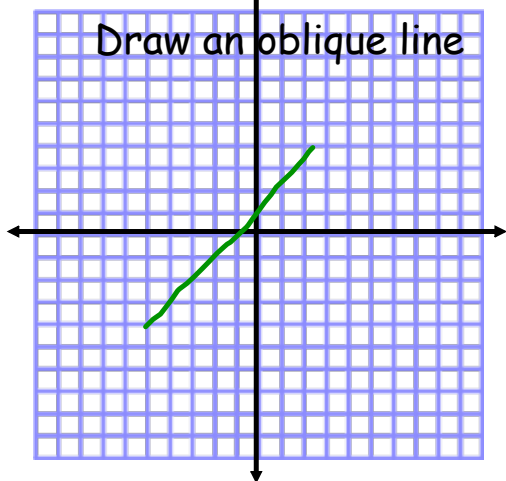
$$y = 5 \quad \} \quad \text{horizontal}$$

$$x = -7 \quad \} \quad \text{vertical}$$

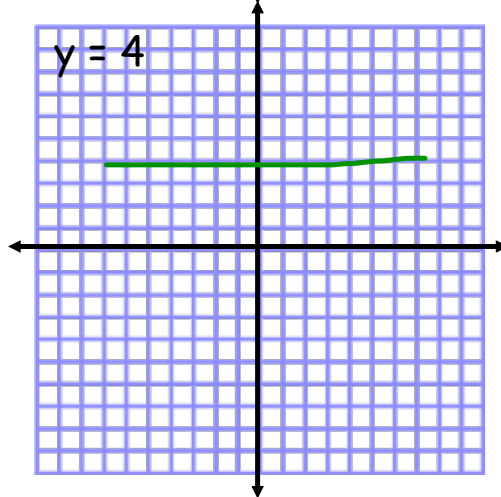
$$\begin{array}{l} x + y \\ \text{or} \\ y = \frac{\Delta y}{\Delta x} x \pm \end{array} \quad \} \quad \text{oblique}$$



Draw an oblique line



$y = 4$



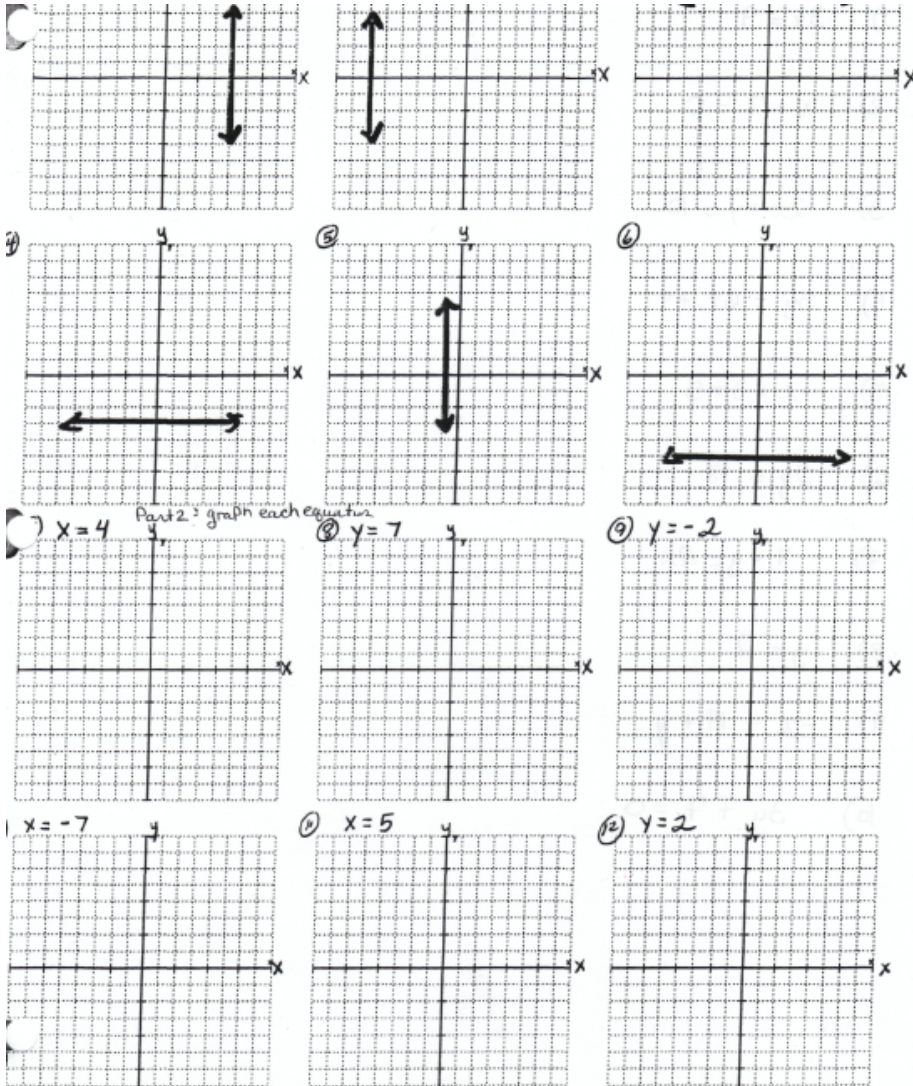


Worksheet



Front and Back

All Questions



Determine which are vertical, horizontal, oblique, or non-linear

1) $3x = 9$

2) $x + 7 = 0$

3) $-2x + y = 10$

4) $3y = 6x + 9$

5) $-x + 3 = 5$

6) $2y = 18$

7) $7 + y = 2x$

8) $y = 2$

9) $-x = 14 + y$

10) $3y + 7 = 0$

Attachments

Section 4.3 Worksheet.pdf