

Warm Up

Fill in the blanks

- 1) The Tangent is WS
- 2) The center is labeled with the letter O
- 3) The point of tangency is labeled with the letter S
- 4) The radius is the line SO

SHOW YOUR WORK

5) Find the length of the radius if $OW = 17$ and $SW = 9$

$$a^2 = c^2 - b^2$$

$$a^2 = 17^2 - 9^2$$

$$a^2 = 289 - 81$$

$$a^2 = \sqrt{208}$$

$$a = 14.4$$

May 8-9:55 PM

Warm Up

Determine the unknowns:

$\angle ODA = 90^\circ$
 $\angle ODC = 90^\circ$ } Tang?

$$a = 180 - 90 - 42$$

$$a = 48^\circ$$

$$x = \sqrt{14^2 - 6^2}$$

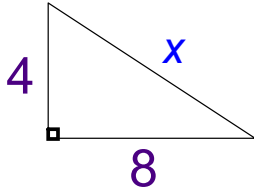
$$= 12.6$$

Apr 29-8:09 AM

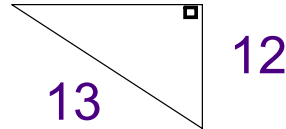
Calculating with **Tangents** We Only Use ...

1) Pythagorean Theorem

finding the hypotenuse $\rightarrow c^2 = a^2 + b^2$



finding a side $\rightarrow a^2 = c^2 - b^2$

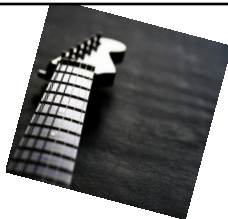


or

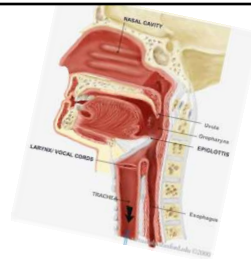
2) Angle Sum of Triangle

Unknown Angle = $180^\circ - 90^\circ - \text{known angle}$

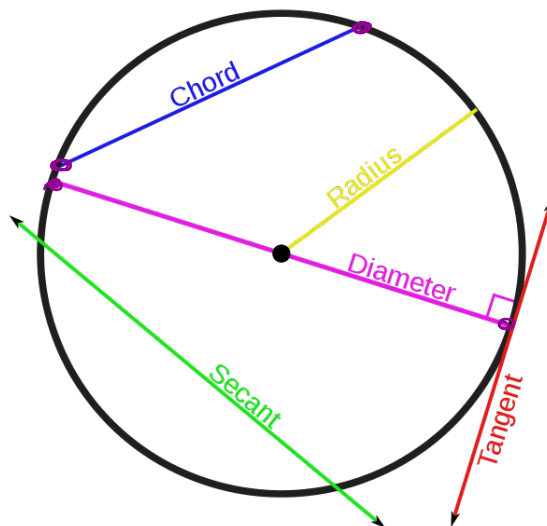
Oct 3-9:02 AM



Section 8.2



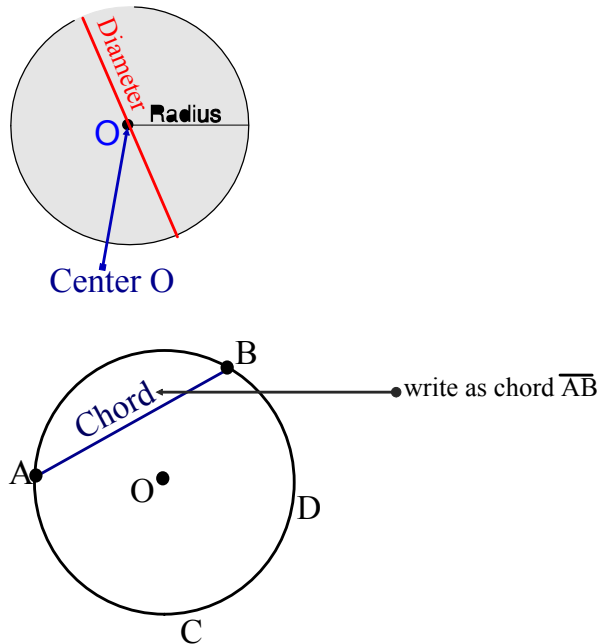
Properties of Chords in Circles



May 2-9:17 AM

Properties of Circles & Terminology:

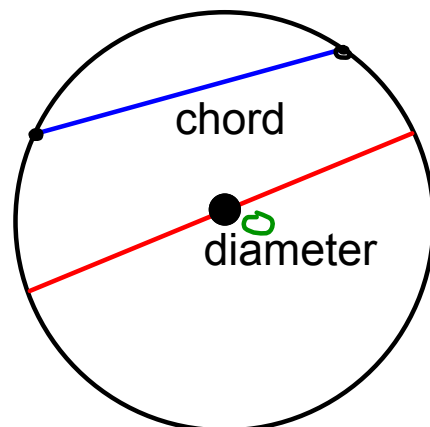
Circle - the set of all points that are equidistant from a fixed point.



Oct 3-9:26 AM

- A line segment that joins two points on a circle is a **chord**.

- A **diameter** of a circle is a chord through the centre of the circle.

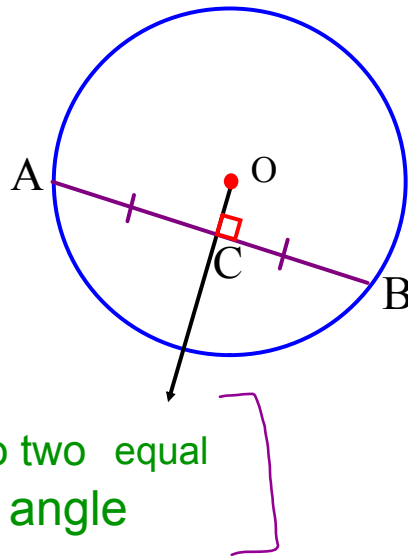


May 2-9:18 AM

Perpendicular to a Chord Property 1

- A line drawn from the centre of a circle that is perpendicular to a chord bisects the chord. (It cuts the chord into two equal parts.)

If OC is perpendicular to AB
Then $AC = CB$



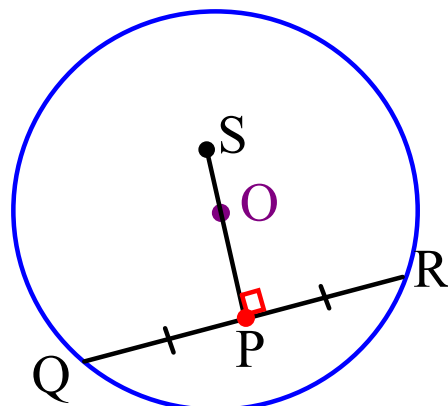
Perpendicular bisector:
→ cuts a cord into two equal pieces at 90° angle

May 2-9:22 AM

Perpendicular to a Chord Property 2

- The perpendicular bisector of a chord in a circle passes through the centre of the circle.

A perpendicular bisector of a chord must go through the centre.

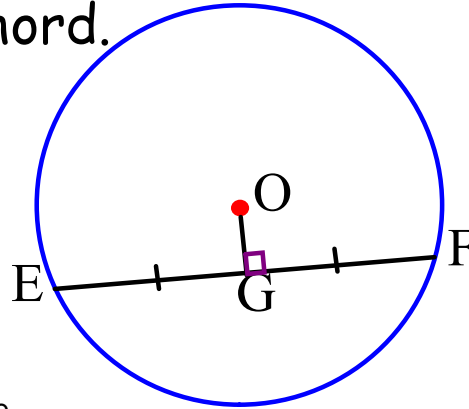


May 2-2:50 PM

Perpendicular to a Chord Property 3

- A line that joins the centre of a circle and the midpoint of a chord is perpendicular to the chord.

If O is the centre and
 $EG = GF$, then
 $\angle OGE = \angle OGF = 90^\circ$.



A line that comes from the centre of the circle and cuts the chord into two equal pieces is the perpendicular bisector

May 2-3:12 PM

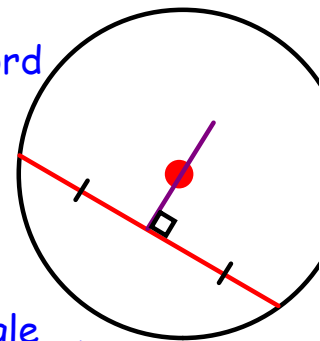
STOP!



Aren't they
 all saying the
 same thing?



perpendicular bisector of a cord

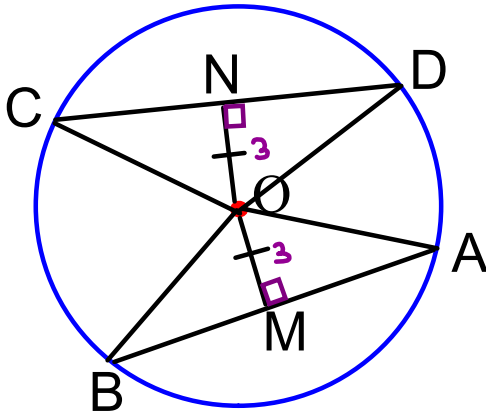


hits the cord at a 90 degree angle ,
 the chord is cut in two equal pieces,
 and passes through the centre.

May 3-9:13 AM

Perpendicular to a Chord Property 4

- Two chords that are equal distance from the center must be the same



If $OM = ON$,
 then $AB = CD$
 OR
 If $AB = CD$,
 then $OM = ON$

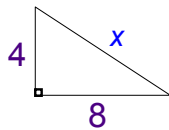
Apr 25-2:29 PM

Working With Chords Lengths We Only Use ...

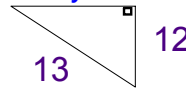
Note: the only reason they give you diameter is so you can use the radius

1) Pythagorean Theorem

finding the hypotenuse $\rightarrow c^2 = a^2 + b^2$



finding a side $\rightarrow a^2 = c^2 - b^2$



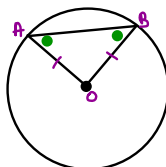
or

2) Angle Sum of Triangle

Unknown Angle = $180^\circ - 90^\circ - \text{known angle}$

or

3) Isosceles Triangle



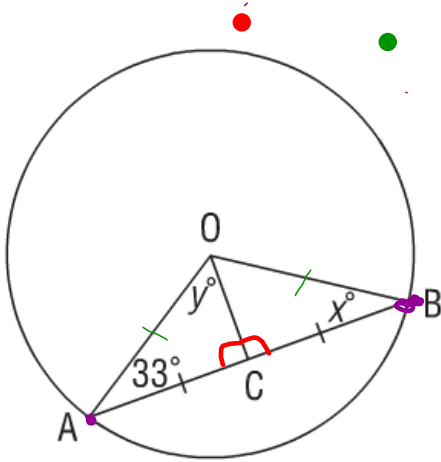
$OA = OB \Rightarrow$ radii

$\angle OAB = \angle OBA$ (Iso Δ)

Oct 3-9:02 AM

Determining the Measure of Angles in a Triangle

Example #1. Determine the values of x° and y° .



$$\left. \begin{aligned} \angle OCA &= 90^\circ \\ \angle OCB &= 90^\circ \end{aligned} \right\} \text{Chord 1, 2, 3}$$

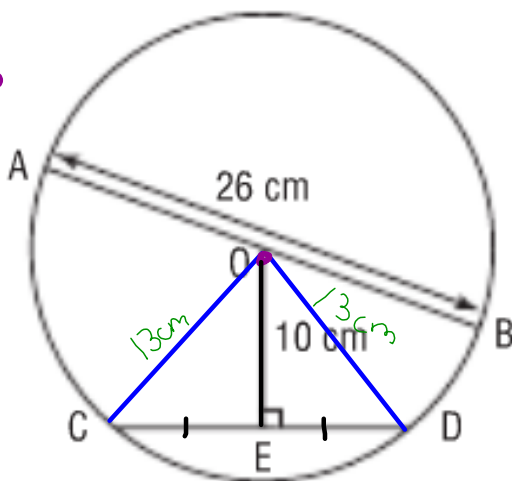
$$x = 33^\circ \quad (\underline{\text{Iso } \Delta})$$

$$y = 57^\circ \quad (180 - 90 - 33) \text{ or (SATT)}$$

May 2-3:17 PM

Using the Pythagorean Theorem in a Circle

Example #2. What is the length of chord CD, to the nearest tenth?



$$CE = DE \quad (\text{chord 1, 2, 3})$$

May 2-4:05 PM