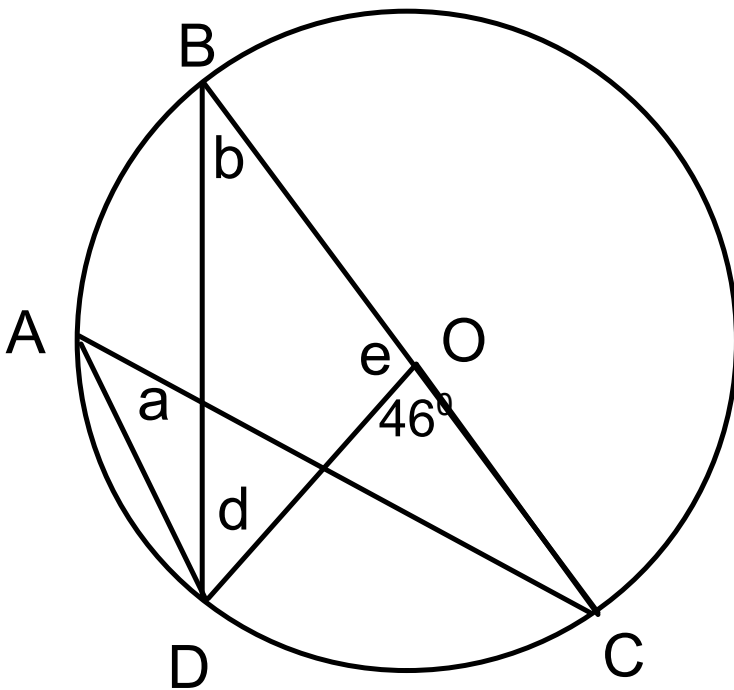


Warm Up



$$e^\circ = \angle BOD = 134^\circ$$

(SAT)

$$a^\circ = \angle DAC = 23^\circ$$

(ins/cent)

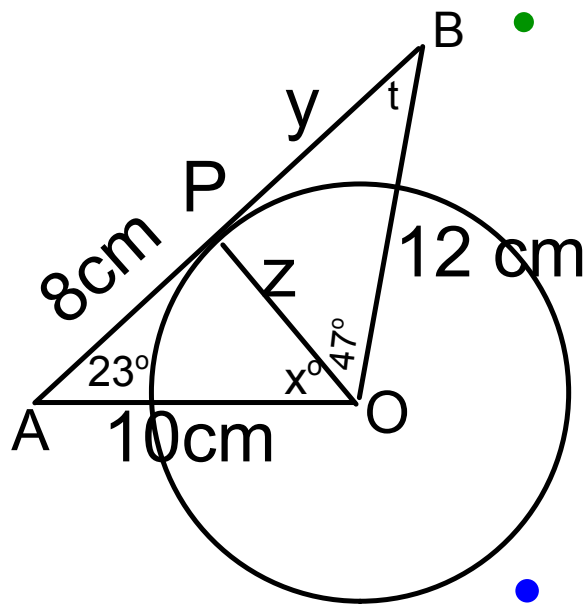
$$b^\circ = \angle BOC = 46^\circ$$

(ins/cent)

$$d = \angle BDO = 23^\circ$$

(Int)
(SAT)

Calculate all the unknowns:



$\angle APO = 90^\circ$ (tang P)
 $\angle BPO$

$x = 67^\circ$ (SATT)

$t = 43^\circ$ (SATT)

$z \rightarrow \text{leg}$

$a^2 = c^2 - b^2$

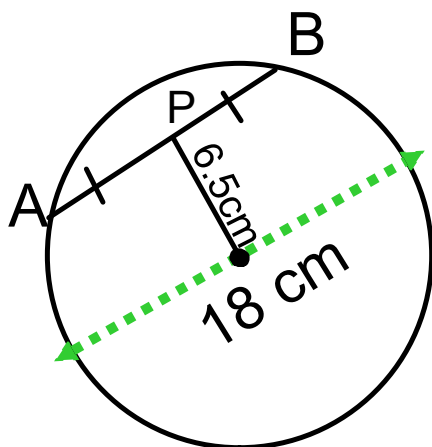
$\sqrt{10^2 - 8^2}$

$z = 6$

$y = \text{leg}$

$a^2 = c^2 - b^2$
 $\sqrt{12^2 - 6^2}$
 $y = 10.4$

Calculate the length of the chord:



$\angle APO = 90^\circ$
 $\angle BPO = 90^\circ$ } (chord P)

$AP \rightarrow \text{leg}$

$a^2 = c^2 - b^2$

$a^2 = 9^2 - 6.5^2$

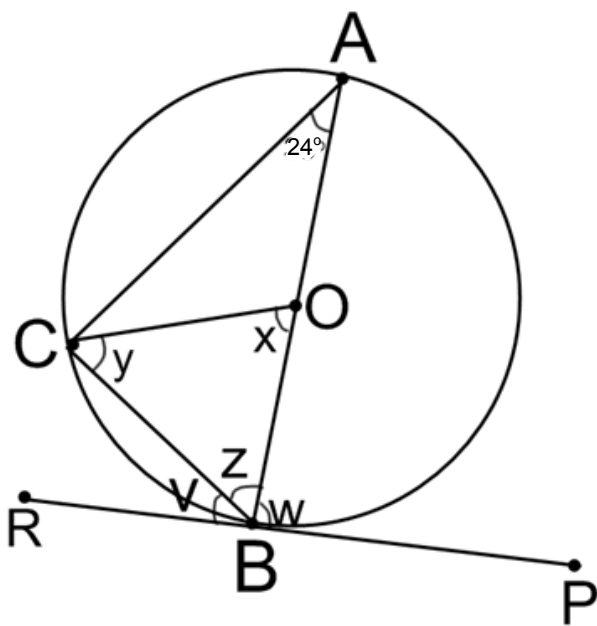
$a^2 = 81 - 42.25$

$\sqrt{a^2} = \sqrt{38.75}$

$a = 6.2$

$AB = 2(6.2)$

$AB = 12.4 \text{ cm}$



Do on your own

$$x = 48^\circ \text{ (cent } \angle \text{ } \widehat{CB} \text{)}$$

$$w = 90^\circ \text{ (tang } P \text{)}$$

$$\left. \begin{array}{l} y = 66^\circ \\ z = 66^\circ \end{array} \right\} \text{ Iso } \triangle$$

$$v = 24^\circ \text{ (st line)}$$



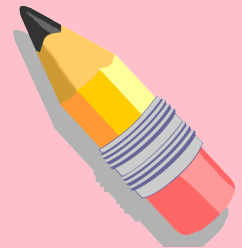
Homework:

TEST Tomorrow

p. 418 - 419

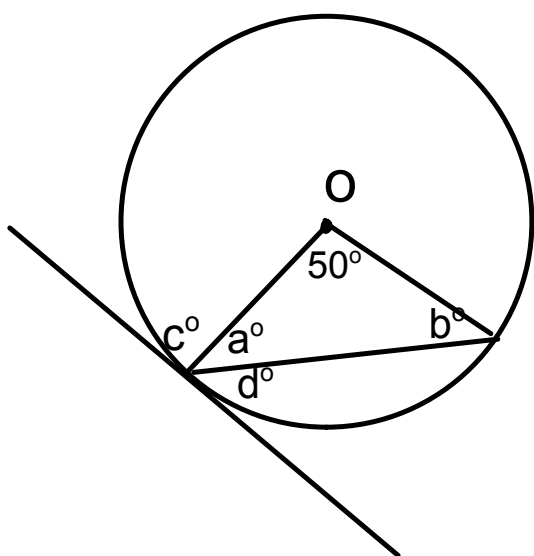
#

- | | |
|---|----|
| 1 | 8 |
| 2 | 9 |
| 5 | 10 |
| 6 | |
| 7 | |



Practice Test page 420

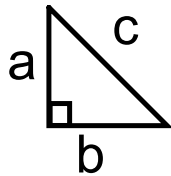
1,2,3



<p>(SATT) (ITT) (SAT) (CAT) (OAT) (CyAT)</p>	<p>$\angle \text{---} = 90^\circ$ (Tang P) $\angle \text{---} = \angle \text{---} = 90^\circ$ (Chord P) --- = --- (Chord P)</p>	<p>$\angle \text{---} = \text{---}^\circ$ (ins/cent >, $\widehat{\text{---}}$) $\angle \text{---} = \text{---}^\circ$ (ins >, $\widehat{\text{---}}$) $\angle \text{---} = \text{---}^\circ$ (ins >, diam) $\angle \text{---} = \text{---}^\circ$ (CyQuad)</p>
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Chapter 8: Notes

Pythagorean theorem

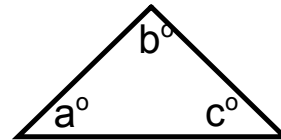


Hyp = ?
 $c^2 = a^2 + b^2$

Leg = ?
 $a^2 = c^2 - b^2$

Angle Sum of Triangle Theorem

(SATT)

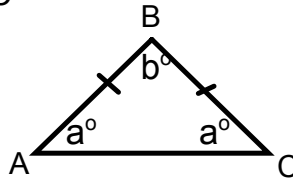


$$a^\circ + b^\circ + c^\circ = 180^\circ$$

Isosceles Triangle Theorem **(ITT)**

Two sides are equal : $AB = BC$

Base angles are equal:
 $\angle A = \angle C$



If $a^\circ = ?$

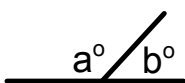
$$a^\circ = \frac{180 - b}{2}$$

If $b^\circ = ?$

$$b^\circ = 180 - a^\circ - a^\circ$$

Angle Properties

Supplementary Angle Theorem **(SAT)**



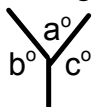
$$a^\circ + b^\circ = 180^\circ$$

Complimentary Angle Theorem **(CAT)**



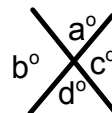
$$a^\circ + b^\circ = 90^\circ$$

Cyclic Angle Theorem **(CyAT)**



$$a^\circ + b^\circ + c^\circ = 360^\circ$$

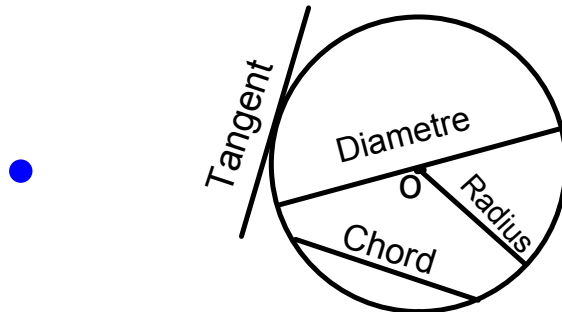
Opposite Angle Theorem **(OAT)**



$$a^\circ = d^\circ$$

$$b^\circ = c^\circ$$

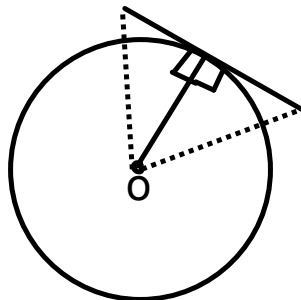
Information about circles



Tangent Property

$$\angle _ = 90^\circ \text{ (Tang P)}$$

- a radius hits a tangent at 90°



To solve unknown sides :
Pythagorean Theorem

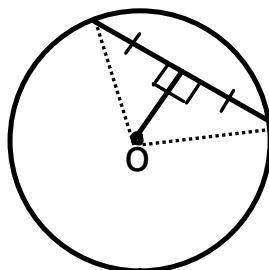
To solve unknown angles :
SATT

Chord Property

$$\text{If chord lengths are indicated} \\ \angle _ = \angle _ = 90^\circ \text{ (Chord P)}$$

a line coming from the centre of the circle

- hits chord at a 90° angle
- cuts the chord into two equal pieces



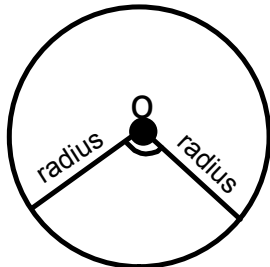
$$\text{If } 90^\circ \text{ is indicated} \\ _ = _ \text{ (Chord P)}$$

To solve unknown sides :
Pythagorean Theorem

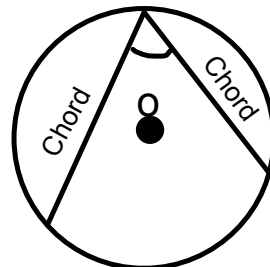
To solve unknown angles :
SATT
ITT

Circle Properties

Central Angle

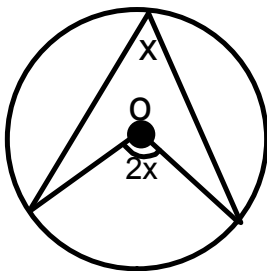


Inscribed Angle



Property # 1: Central & Inscribed Angles

$$\angle \text{---} = \text{---}^\circ \text{ (ins/cent } \angle, \text{---})$$

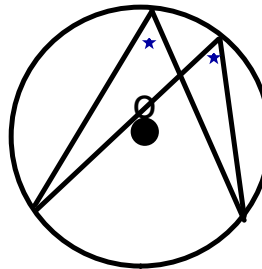


- The central angle is double the inscribed angle

- The inscribed angle is half the central angle

Property # 2: Inscribed Angles

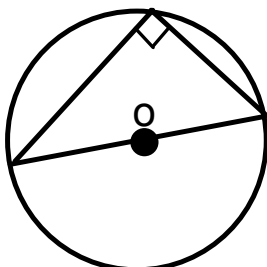
$$\angle \text{---} = \text{---}^\circ \text{ (ins } \angle, \text{---})$$



- Inscribed angles coming from the same arc are equal

Property # 3: Inscribed from Diameter

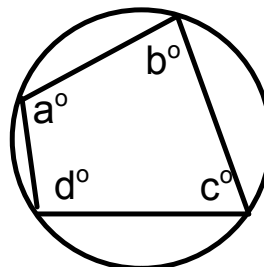
$$\angle \text{---} = \text{---}^\circ \text{ (ins } \angle, \text{ diam)}$$



- Inscribed angles coming from the diameter are 90°

Property # 4: Cyclic Quadrilateral

$$\angle \text{---} = \text{---}^\circ \text{ (CyQuad)}$$



- Opposite angles in a cyclic quad must add up to 180°

$$a^\circ + c^\circ = 180^\circ$$

$$b^\circ + d^\circ = 180^\circ$$