

MAY 18, 2017

**UNIT 3: LINEAR RELATIONS
AND FUNCTIONS**

**SECTION 6.4:
SLOPE-INTERCEPT FORM
OF THE EQUATION FOR A
LINEAR FUNCTION**

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NUMBERS, RELATIONS AND FUNCTIONS 10



WHAT'S THE POINT OF TODAY'S LESSON?

We will continue working on the NRF 10 Specific Curriculum Outcomes (SCOs) "Relations and Functions 6 and 7" OR "RF6 and RF7" which state:

RF6: "Relate linear functions expressed in: slope-intercept form ($y = mx + b$), general form ($Ax + By + C = 0$) and slope-point form [$y - y_1 = m(x - x_1)$]"

AND

RF7: "Determine the equation of a linear relation given: a graph, a point and the slope, two points, a point and the equation of a parallel or perpendicular line or a scatter plot."



What does THAT mean???

SCO RF6 means that we will:

- * **express a linear relation in slope-intercept, general and slope-point forms and compare the graphs**
- * **generalize and explain strategies for graphing a linear relation in slope-intercept, general or slope-point form**
- * **graph a linear relation given in slope-intercept, general or slope-point form**
- * **identify equivalent linear relations from a set of linear relations**
- * **match a set of linear relations to their graphs**





What does THAT mean???

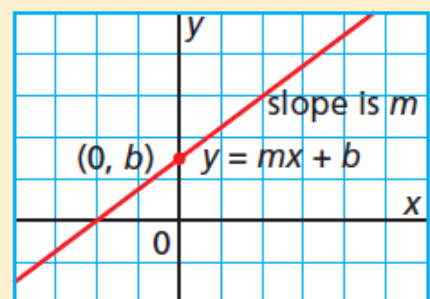
SCO RF7 means that we will:

- * **determine the slope and y-intercept of a given linear relation from its graph and write the equation in the form $y = mx + b$**
- * **write the equation of a linear relation given its slope and the coordinates of a point on the line and explain the reasoning**
- * **write the equation of a linear relation given the coordinates of two points on the line and explain the reasoning**
- * **write the equation of a linear relation given the coordinates of a point on the line and the equation of a parallel or perpendicular line and explain the reasoning**
- * **graph linear data generated from a context and write the equation of the resulting line**
- * **solve a contextual problem using the equation of a linear relation**

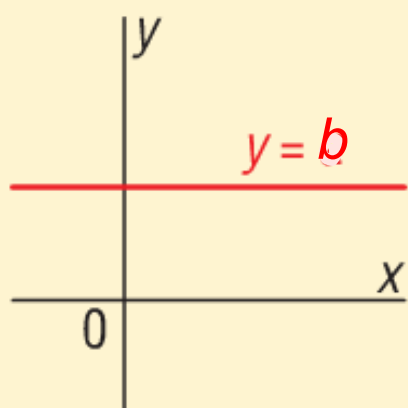


Slope-Intercept Form of the Equation of a Linear Function

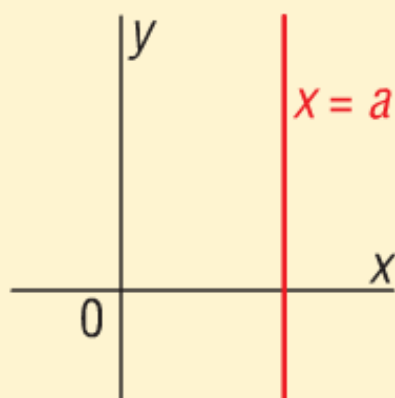
The equation of a linear function can be written in the form $y = mx + b$, where m is the slope of the line and b is its y -intercept.



The graph of the equation $y = b$, where b is a constant, is a horizontal line. Every point on the graph has a y -coordinate of b .



The graph of the equation $x = a$, where a is a constant, is a vertical line. Every point on the graph has an x -coordinate of a .



$m = \text{undefined}$

HOMEWORK QUESTIONS?

(page 362, #4 TO #9 & #11)

EXAMPLE:

The student council sponsored a dance. A ticket cost \$5 and the cost for the DJ was \$300.

- a) Write an equation for the profit, P dollars, on the sale of t tickets.
- b) Suppose 123 people bought tickets. What was the profit?
- c) Suppose the profit was \$350. How many people bought tickets?
- d) Could the profit be exactly \$146? Justify the answer.

SOLUTIONS:

a) $P = 5t - 300$

b) Use the equation:

$$P = 5t - 300$$

$$P = 5(123) - 300$$

$$P = 615 - 300$$

$$P = 315$$

The profit was \$315.

SOLUTIONS (continued):

c) Use the equation:

$$P = 5t - 300$$

$$350 = 5t - 300$$

$$350 + 300 = 5t - 300 + 300$$

$$650 = 5t$$

$$\frac{650}{5} = \frac{5t}{5}$$

$$130 = t$$

One hundred thirty people bought tickets.

SOLUTIONS (continued):

d) Use the equation:

$$P = 5t - 300$$

$$146 = 5t - 300$$

$$146 + 300 = 5t - 300 + 300$$

$$446 = 5t$$

$$\frac{446}{5} = \frac{5t}{5}$$

$$89.2 = t$$

Since the number of tickets sold is not a whole number, the profit cannot be exactly \$146.

YOU TRY!

To join the local gym, Karim pays a start-up fee of \$99, plus a monthly fee of \$29.

- a) Write an equation for the total cost, C dollars, for n months at the gym.
- b) Suppose Karim went to the gym for 23 months. What was the total cost?
- c) Suppose the total cost was \$505. For how many months did Karim use the gym?
- d) Could the total cost be exactly \$600? Justify your answer.

[Answers: a) $C = 29n + 99$ b) \$766
c) 14 months d) no]

$$b) C = 29n + 99$$

$$C = 29(23) + 99$$

$$C = 667 + 99$$

$$C = \$766$$

$$c) C = 29n + 99$$

$$505 = 29n + 99$$

$$406 = 29n$$

$$14 = n$$

months

$$d) C = 29n + 99$$

$$600 = 29n + 99$$

$$501 = 29n$$

$$17.27... = n$$

No

CONCEPT REINFORCEMENT:

FPCM 10:

Page 362: #12

Page 363: #13, #14, #16 and #17

Page 364: #18 TO #24

Attachments

Worksheet - Function Notation.pdf