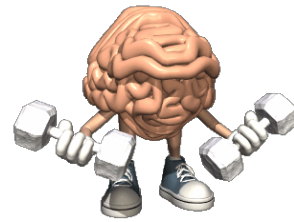


Warm Up



1a) What is the slope of a line that passes through the points (14, -18) and (8, -20)?

$$\frac{y_2 - y_1}{x_2 - x_1} = \frac{-20 - (-18)}{8 - 14} = \frac{-2}{-6} = \frac{2}{6} = \frac{1}{3}$$

b) What is the slope of a line perpendicular to a line that passes through the points (5, 3) and (-12, 6)?

$$\frac{y_2 - y_1}{x_2 - x_1}$$

$$\frac{6 - 3}{-12 - 5} = \frac{3}{-17} = -\frac{3}{17}$$

∥ $\frac{-3}{17}$ ⊥ $\frac{+17}{3}$

slope

Intercept Form

$$y = mx + b$$

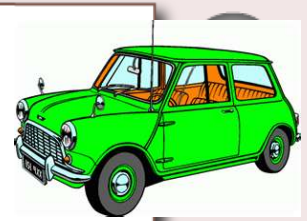
$$y = mx + b$$

Slope (m)

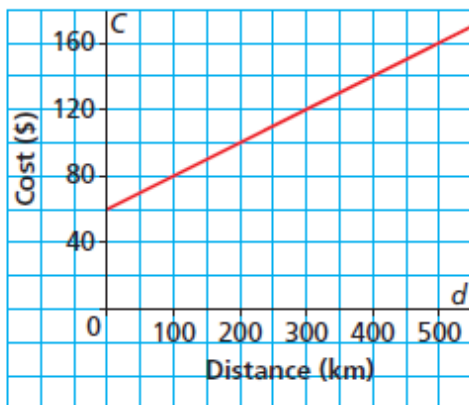
y-intercept (b)

also have a point

In Chapter 5, Lesson 5.6, we described a linear function in different ways. The linear function below represents the cost of a car rental.



Car Rental Costs



An equation of the function is:

$$C = 0.20d + 60$$

The number 0.20 is ?

The number 60 is ?

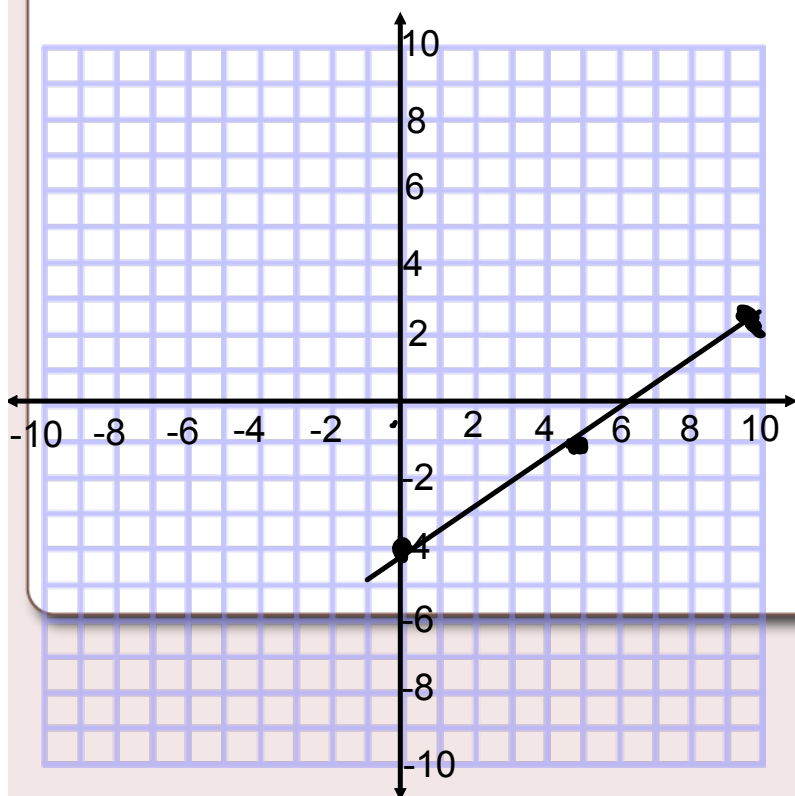
6.4 Slope-Intercept Form of the Equation for a Linear Function

Example 1**Writing an Equation of a Linear Function
Given Its Slope and y -Intercept**

The graph of a linear function has slope $\frac{3}{5}$ and y -intercept -4 .

Write an equation for this function.

$$y = mx + b$$
$$y = \frac{3}{5}x - 4$$



Graph the following

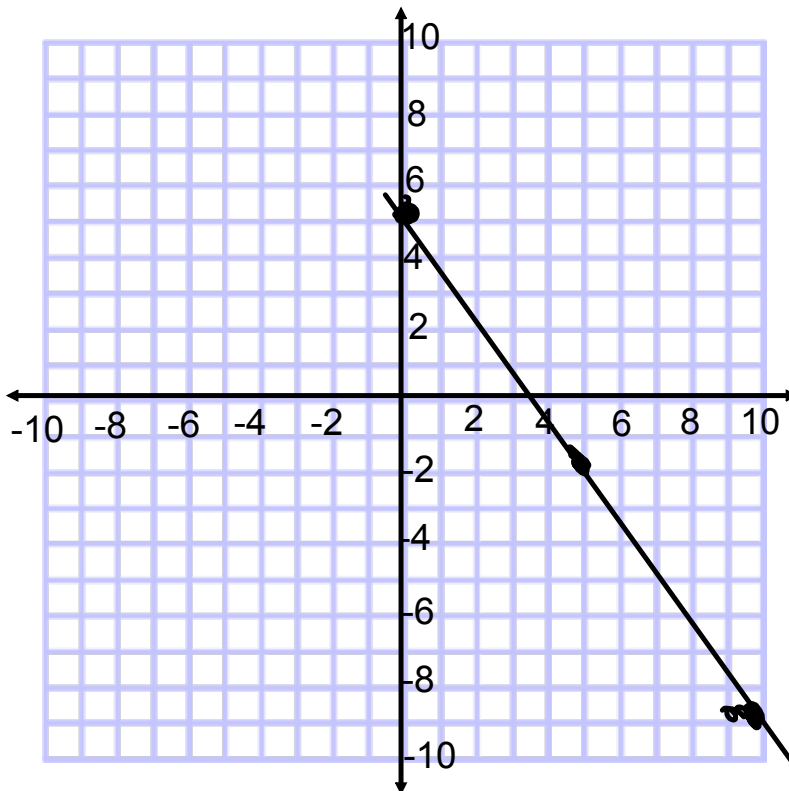
To graph a line you need :

i) One point

$$(0, -4)$$

ii) Slope

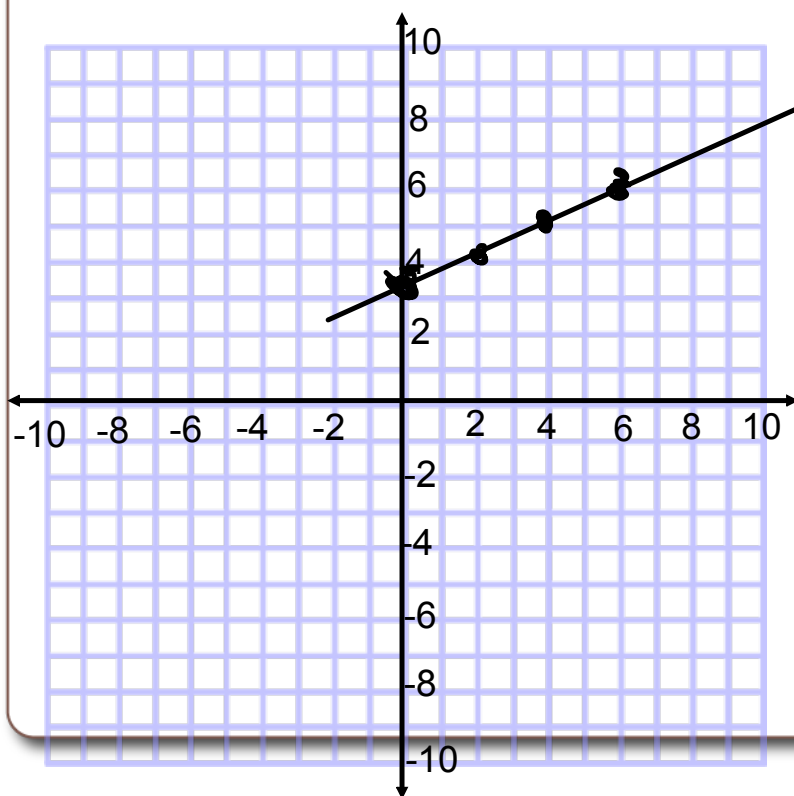
1. The graph of a linear function has slope $-\frac{7}{3}$ and y -intercept 5. Write an equation for this function.




$$y = -\frac{7}{3}x + 5$$
$$(0, 5)$$

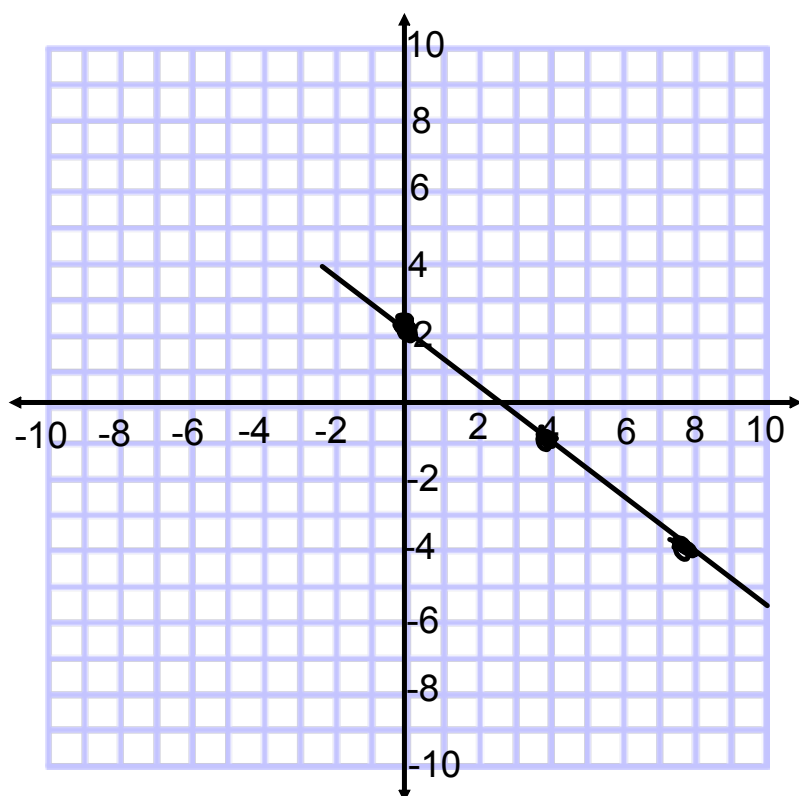
Example 2**Graphing a Linear Function Given Its Equation in Slope-Intercept Form**

Graph the linear function with equation: $y = \frac{1}{2}x + 3$



(0, 3)

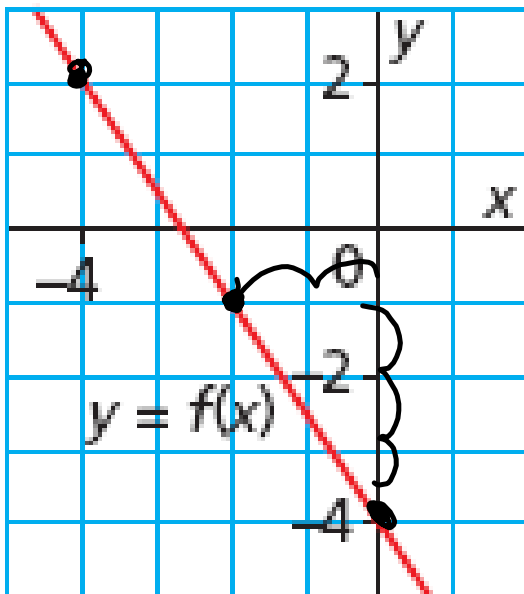
2. Graph the linear function with
equation: $y = -\frac{3}{4}x + 2$ 



(0, 2)

Example 3**Writing the Equation of a Linear Function Given Its Graph**

Write an equation to describe this function.
Verify the equation.

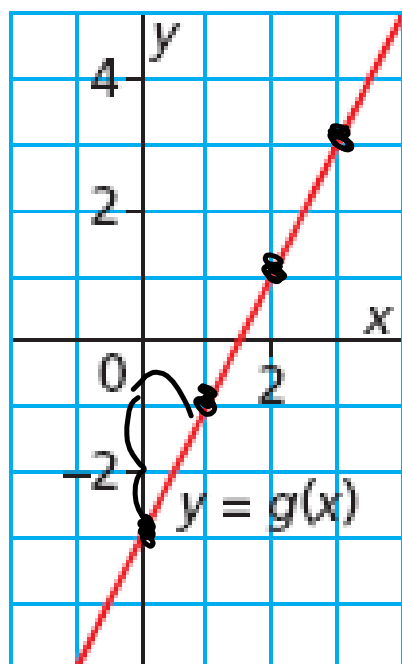


$$\begin{aligned}y\text{-int} &= -2 \\ \text{Slope} &= -\frac{3}{2} \\ y &= -\frac{3}{2}x - 2\end{aligned}$$

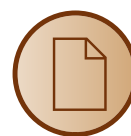


6.4 Slope-Intercept Form of the Equation for a Linear Function

3. Write an equation to describe this function. Verify the equation.



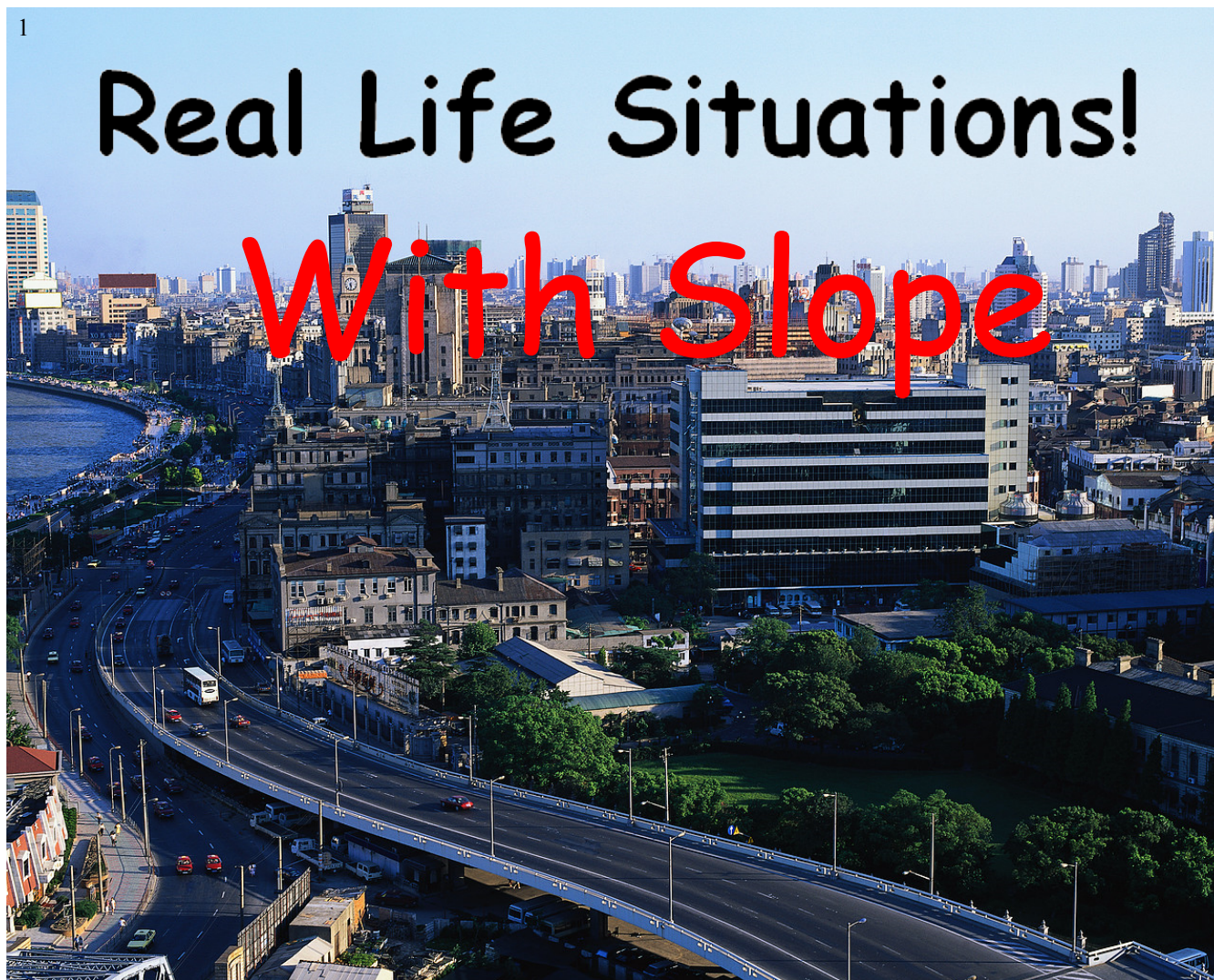
$$y\text{-int} = -3$$
$$\text{Slope} = \frac{2}{1} = 2$$
$$y = 2x - 3$$



1

Real Life Situations!

With Slope



2

Ashely babysits on the weekend to make extra money. She charges \$15 as a flat rate and then \$5 every hour. Write an equation that represents the total pay she will make at the end of each babysitting job.

$$y = 5x + 15$$

$$C = 5h + 15$$

3

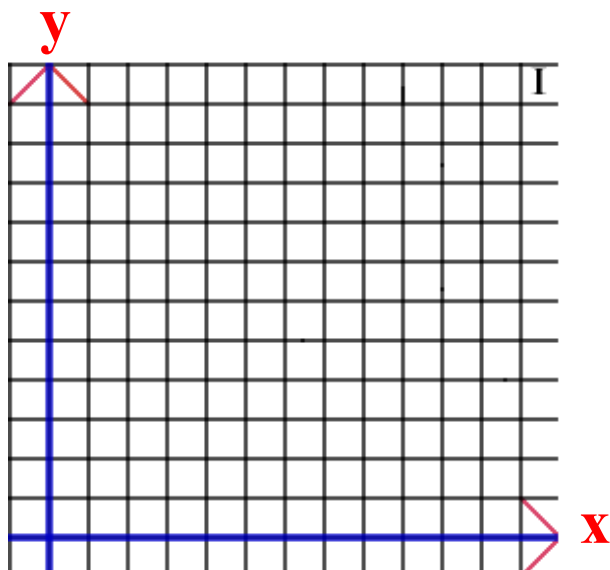
Ashely babysits on the weekend to make extra money. She charges \$15 as a flat rate and then \$5 every hour.

Graph

$$y = 5x + 15$$

$b = 15$ flat rate
 $m = 5$ \$ per hour
 $x =$ # of hours
 $y =$ cost

Equation



1. How much would it cost to have Ashley babysit for 3 hours?
2. How many hours could you have Ashley babysit for if you had \$45?

Ashely babysits on the weekend to make extra money. She charges \$15 as a flat rate and then \$5 every hour.

$$y = 5x + 15$$

$$b = 15$$

$$m = 5$$

$x = \# \text{ of hours}$

$y = \text{Total Cost } \$\$$

1. How much would it cost to have Ashley babysit for 3 hours?

$$y = 5(3) + 15 \quad \$ 30$$

$$y = 30 \quad 3 \text{ hours}$$

2. How many hours could you have Ashley babysit for if you had \$45?

$$45 = 5x + 15$$

$$45 - 15 = 5x$$

$$\frac{30}{5} = \frac{5x}{5}$$

$$6 = x$$

Ashley can work
6 hours for \$45

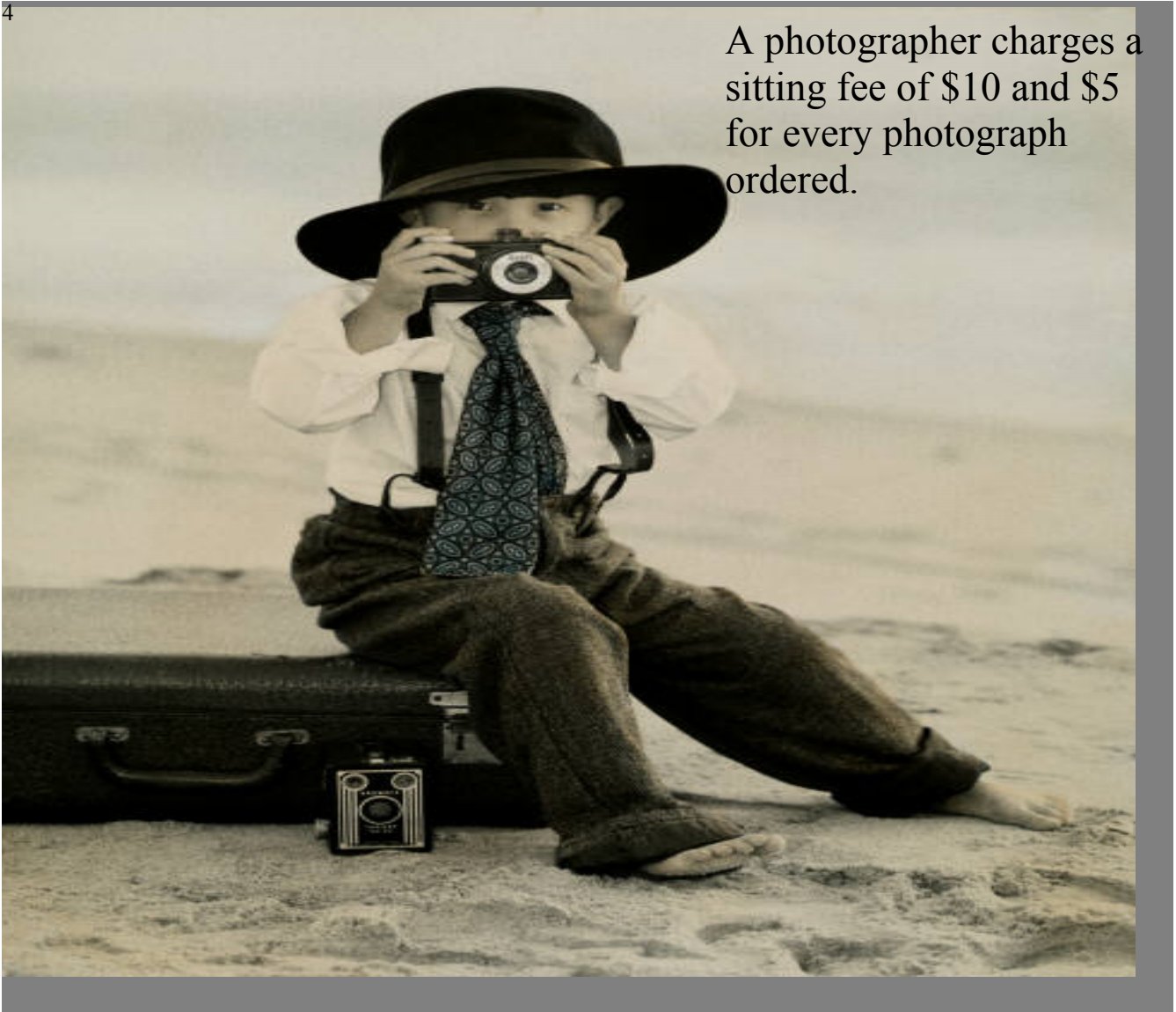
$$y = mx + b$$

Slope (m) = Cost per hour, Cost per Km, Cost per picture, etc.....

y-intercept (b) = Initial cost, base rate, initial fee, flat rate, sitting fee, starting cost etc.....

x = Number of kilometers, Number of hours, Number of pictures, etc....

y = Total Cost \$\$\$\$, Total Earned \$\$\$



A photographer charges a sitting fee of \$10 and \$5 for every photograph ordered.

5

A photographer charges a sitting fee of \$10 and \$5 for every photograph ordered.

Graph

$$y = 5x + 10$$

Equation

$$\left\{ \begin{array}{l} b = 10 \text{ (sitting fee)} \\ m = 5 \text{ per photo} \\ x = \# \text{ of photos} \\ y = \text{cost} \end{array} \right.$$

1. How many photographs could you get for \$35?

$$35 = 5x + 10$$

$$25 = 5x$$

$$x = 5$$

2. How much would it cost for 8 photographs?

$$y = 5(8) + 10$$

$$y = 50$$