

SOLUTIONS...

PUZZLE WORKSHEET:

What Did the Toothless Old Termite Say When He Entered a Tavern?

Graph each pair of inequalities below and indicate the solution set of the system with crosshatching or shading. The crosshatching or shading, if extended, would cover a set of three letters. Print these letters in the three boxes at the bottom of the page that contain the exercise number.

① $y < x - 1$
 $y > -3$

② $x < 2$
 $y < \frac{2}{3}x - 1$

③ $y < -x + 1$
 $y > \frac{1}{2}x - 2$

④ $y < x$
 $3x + 2y > 4$

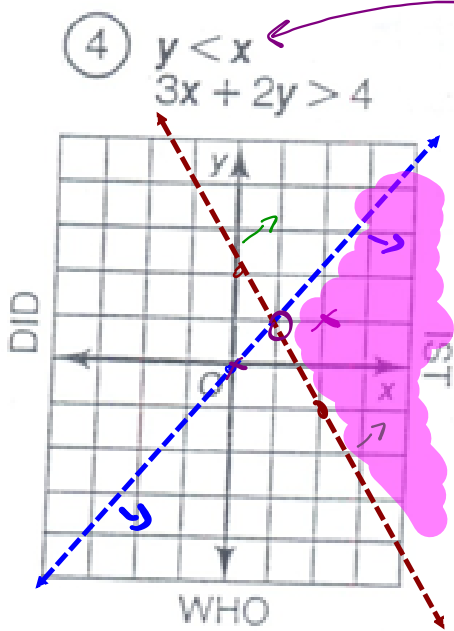
⑤ $x - 3y < 12$
 $x > 2$

⑥ $y < 1$
 $2x + y < 1$

4	4	4	3	3	3	6	6	6	1	1	1	5	5	5	2	2	2
I	S	T	H	E	B	A	R	T	E	N	D	E	R	H	E	R	E

200 © 1989 Creative Publications © 1989 Creative Publications INEQUALITIES IN TWO VARIABLES TO PUZZLE

HW Questions...



$y = \frac{1}{2}x$

Test (2, 1)
 $LS < RS$
 $\frac{1}{2}$

$3x + 2y = 4$
 $2y = -\frac{3}{2}x + \frac{4}{2}$
 $y = -\frac{3}{2}x + 2$

$LS > RS$
 $\frac{3(0) + 2(0)}{0} > 4$
 $0 > 4$
 No

10. On Earth Day, a nursery sold more than \$1500 worth of maple and birch trees. The maple trees were sold for \$75, and the birch trees were sold for \$50.

a) Define the variables and write a linear inequality to represent the possible combinations of trees sold. Are there any restrictions on the variables? Explain.

b) Graph the linear inequality.

c) Use your graph to determine:

i) if the nursery could have sold 13 of each type of tree

ii) if 14 of one type and 9 of the other type could have been sold

a) $x \rightarrow$ # of maple trees sold
 $y \rightarrow$ # of birch trees sold

c) $75 \cdot 13 + 50 \cdot 13$
 1625
 ↑
 over
 Yes

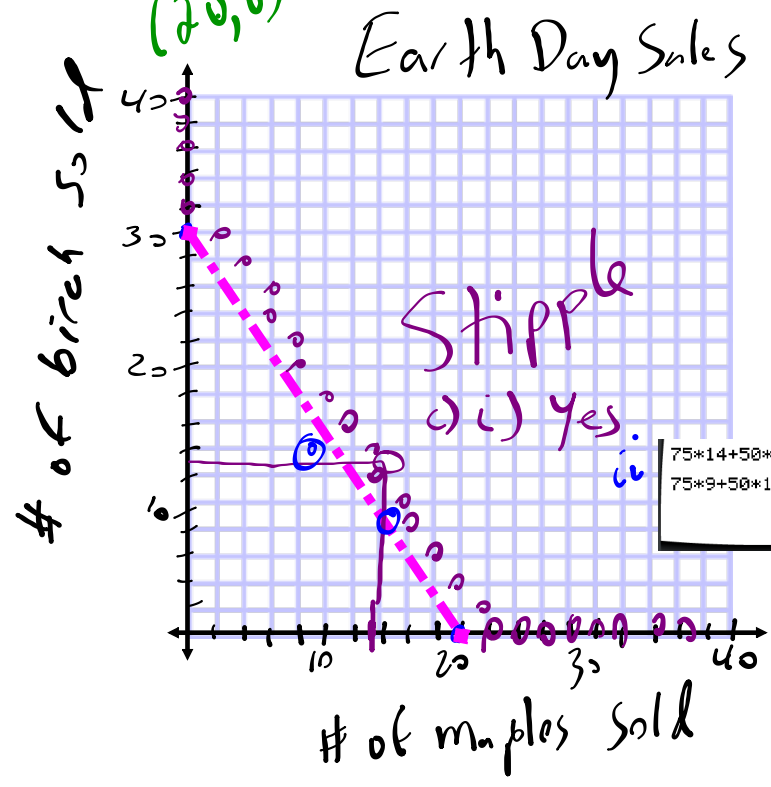
$$75x + 50y > 1500$$

$x \leq w$
 $y \leq w$

b) $75x + 50y = 1500$

x int
 $75x + 50(0) = 1500$
 $75x = 1500$
 $x = 40$

y int
 $75(0) + 50y = 1500$
 $50y = 1500$
 $y = 30$
 $(0, 30)$



WARM-UP: Graph the solution and state 2 possible solutions...

$$\{(x, y) \mid 2x + y > 8, x \in W, y \in W\} \quad \text{Q 1}$$

$$\{(x, y) \mid y \leq 2, x \in W, y \in W\}$$

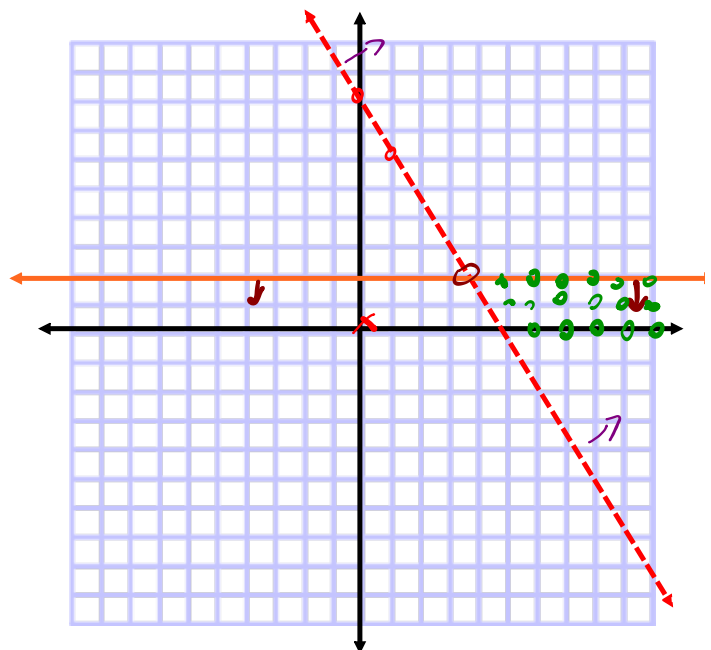
$$2x + y = 8$$

$$y = -2x + 8$$

$$L.S. > R.S.$$

$$\begin{array}{r|l} 2(x) + 0 & 8 \\ 0 & 7 \end{array} \quad \text{No}$$

$$y = 2$$



Applications: Systems Involving Inequalities

STEP 1 - Declare Variables
State Restrictions

STEP 2 - Create Linear Inequalities

STEP 3 - Graph Solution Set

STEP 4 - Answer question(s)

EXAMPLE #1:

To raise funds for π - day, the PI Committee has 500 T-shirts to sell.

They have two varieties:

#1. 'I 8 Sum π ' or #2. ' π - DAY 2018'.

They expect to sell at least twice as many of the first as the second.

1st depends on 2nd

* Independent vs Dependent

(What depends on what?)

a) Define the variables and restrictions. Write a system of linear inequalities that models the situation.

x → independent
y → dependent

x → # of π day 2018 shirts
y → # of I 8 Σ π shirts

x ∈ W y ∈ W

b) Graph the system of inequalities.

x + y ≤ 500

** at least (≥)*

shots on goal vs goals scored

(goals depends on shots)
y ↓
x ↓

c) State a combination of T-shirt sales.

* Finish tomorrow

#BeccaToldMeTo