

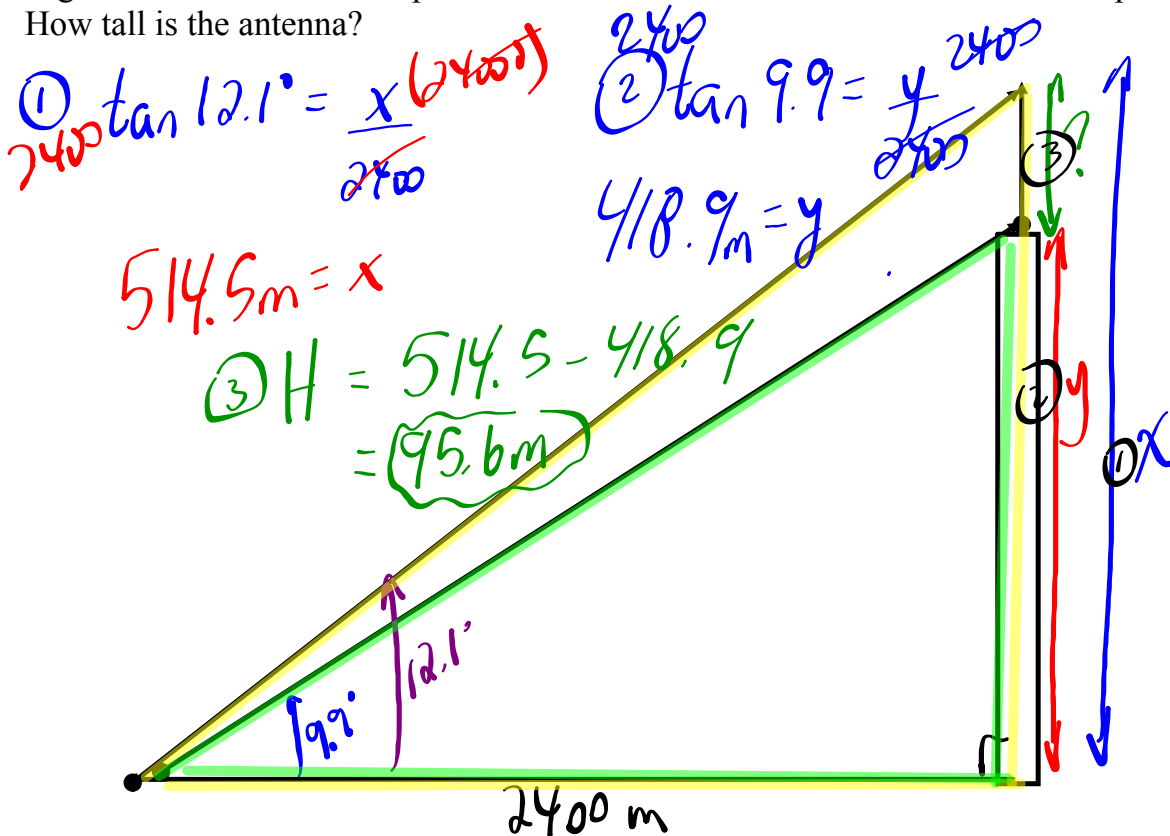
Foundations of Math 11 - March 12

HOMEWORK: Booklet exercise 10.7 #2, 3, 10, 11ab AND 10.8 #1, 3, 4, 6

NOTE: If you were absent you will need to get a booklet next day back

WARM-UP...

An antenna is on the top of the CN Tower in Toronto. From a point 2400 m away, the angles of elevation to the top and bottom of the antenna are 12.1° and 9.9° respectively. How tall is the antenna?



Law of Sines

**** Used when the triangle does not contain a 90 degree angle (Oblique Triangle)**

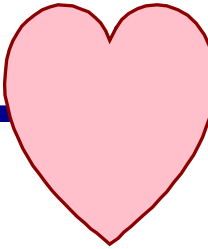
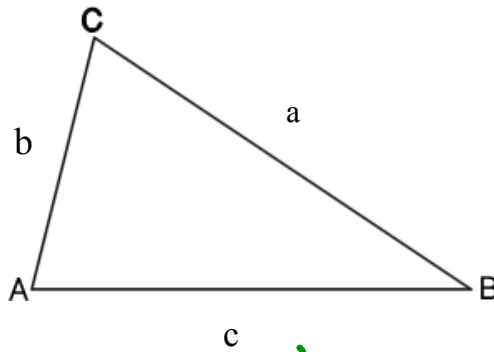
**** In order to use you must be given 1) an angle and an opposite side
AND**

2) any other side or angle

Lower case letters "a,b,c" represent side lengths

Upper case letters "A,B,C" represent angle measures

Let's derive the Law of Sines...



Law of Sines

$$\frac{a}{\sin A} = \frac{b}{\sin B} = \frac{c}{\sin C}$$



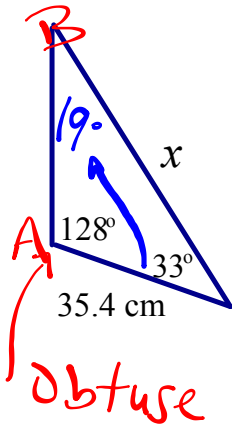
"when looking for a side"

$$\frac{\sin A}{a} = \frac{\sin B}{b} = \frac{\sin C}{c}$$



"when looking for an angle"

EXAMPLE #1 - Finding a side.

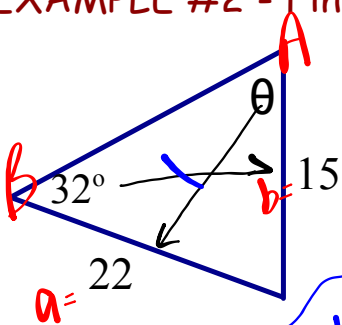


$$\frac{a}{\sin A} = \frac{b}{\sin B}$$

$$\frac{x}{\sin 19^\circ} = \frac{35.4}{\sin 128^\circ}$$

$$x = 85.68 \text{ cm}$$

EXAMPLE #2 - Finding an angle.



$$\frac{\sin A}{a} = \frac{\sin B}{b}$$

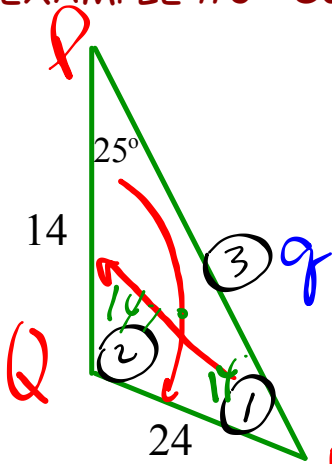
$$\frac{\sin \theta}{22} = \frac{\sin 32^\circ}{15}$$

$$\sin \theta = 0.7772$$

NOTE
When writing
a trig ratio
Go to 4 places
after the decimal

$$\theta = 51^\circ$$

EXAMPLE #3 - Solve the triangle.



$$\frac{a}{\sin A} = \frac{b}{\sin B} \text{ OR } \frac{\sin A}{a} = \frac{\sin B}{b}$$

$$\frac{\sin R}{14} = \frac{\sin 25^\circ}{24}$$

$$\sin^{-1} \sin R = (0.2465)$$

$$\frac{g \sin R}{\sin R} = \frac{24 \sin 14^\circ}{\sin 25^\circ}$$

$$g = 35.7$$

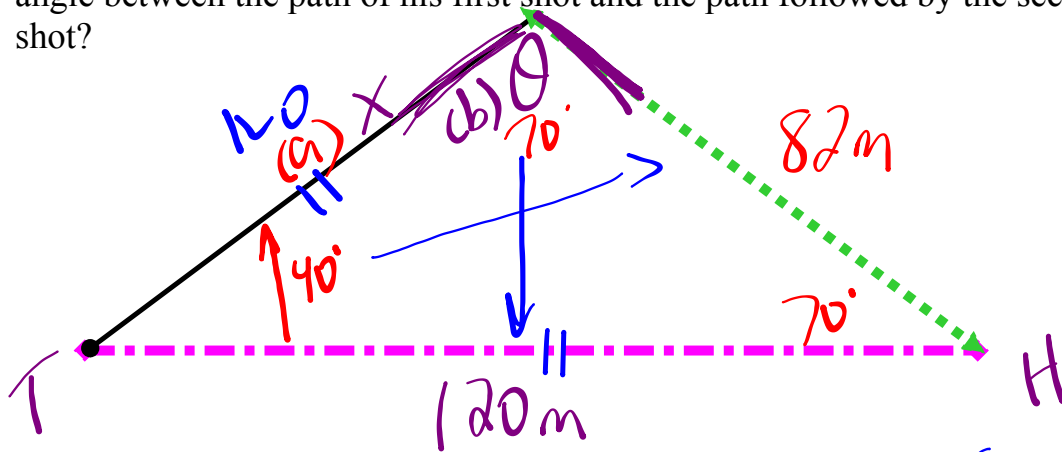
$$\angle R = 14^\circ$$

$$\angle Q = 141^\circ \leftarrow 180 - 25 - 14$$

EXAMPLE #4 - Application

Suppose that Mr. Watters was playing a straight par-3 golf hole that was 120 m long. He hits one of his regular old slices that ends up 40° off line and is still 82 m from the hole.

- (a) How far did his tee shot travel?
- (b) If he somehow miraculously hits his next shot onto the green, what was the angle between the path of his first shot and the path followed by the second shot?



b) $\frac{120}{\sin \theta} = \frac{120}{\sin 40}$
 $\frac{120}{120} = \frac{82}{\sin \theta}$
 $\sin \theta = 0.9407$
 $\theta = 70^\circ$

a) $\frac{X \sin 70}{\sin 70} = \frac{82 \sin 70}{\sin 40}$
 $X = 119.9 \text{ m}$

Homework...

Worksheet - Law of Sines.doc

10.9
Left Side...

10.10
Right Side...

#1 - 6

#1 - 3

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