

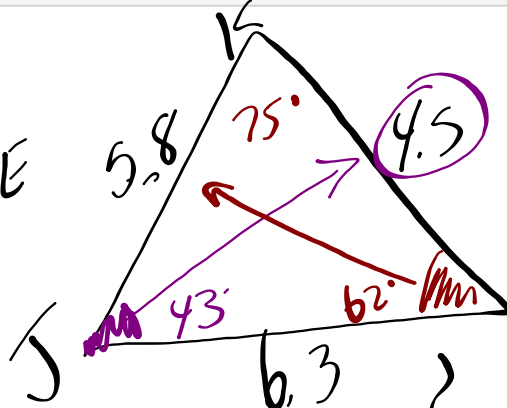
Foundations of Math 11 - March

HOMEWORK: 10.11 #1, 2, 5a, 7ab AND 10.12 #1, 2, 5, 6

Attachment	Size
foundations_of_math_per_2_-_march_16.pdf	1.7 MB
foundations_of_math_per_4_-_march_16.pdf	2.02 MB

10.11  
7b)

SOLVE



\*SSS

$$\cos A = \frac{b^2 + c^2 - a^2}{2bc}$$

$$\cos J = \frac{6.3^2 + 5.8^2 - 4.5^2}{2(6.3)(5.8)}$$

$$\frac{5.8}{\sin F} = \frac{5.8}{\sin 43}$$

$$\sin^{-1} \sin F = \sin^{-1}(0.8790)$$

$$\angle F = 62$$

$$\cos^{-1} \cos J = \cos^{-1} \left( \frac{53.08}{73.08} \right)$$

$$\angle J = 43^\circ$$

$$\angle K = 75^\circ$$

- 6 A golfer hits a tee shot on a 350 m long golf hole. The ball is sliced  $18^\circ$  to the right. If the ball travelled 200 m, how far is the ball from the golf hole, (to the nearest metre)?

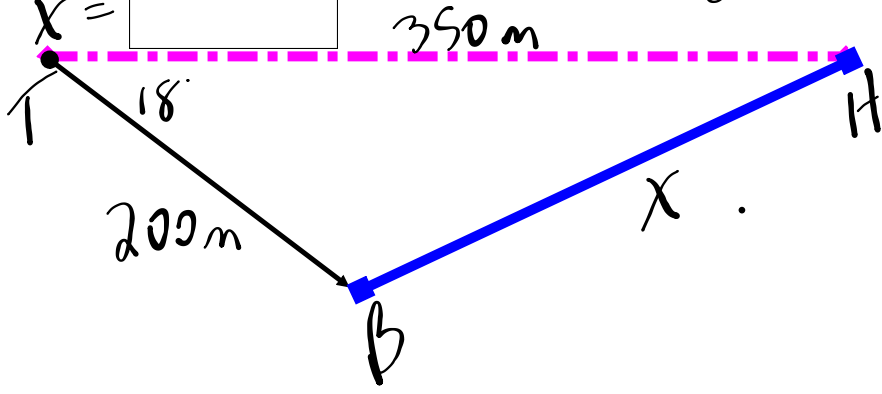
$$x^2 = 200^2 + 350^2 - 2(200)(350)\cos 18^\circ$$

SAS  
 $a^2 = b^2 + c^2 - 2bc \cos A$

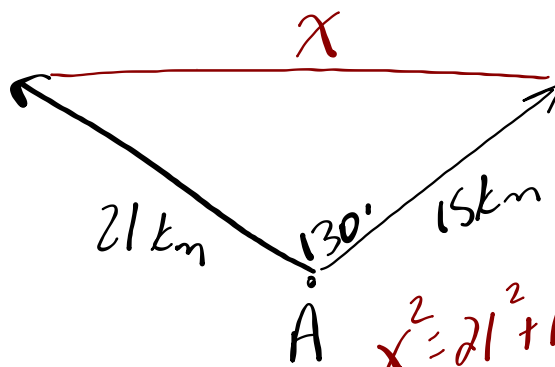
$$x^2 = \frac{200^2 + 350^2 - 2 \cdot 200 \cdot 350 \cdot \cos(18^\circ)}{1}$$

```
200^2+350^2-2*200*
350*cos(18)
29352.08772
√(Ans)
171.32451
```

Distance = 171.3m



5)



$$x^2 = 21^2 + 15^2 - 2(21)(15)\cos 130^\circ$$

$$x^2 = 21^2 + 15^2 - 2 * 21 * 15 * \cos(130)$$

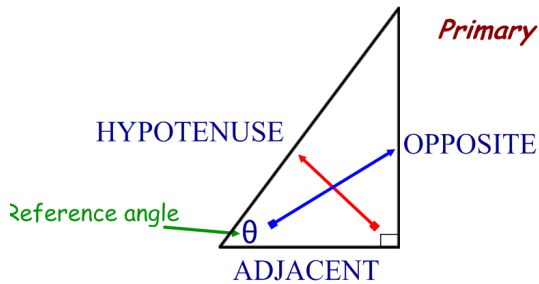
$$x = \sqrt{1070.956194}$$

$$x = 32.72546706$$

Distance  $\rightarrow$  32.7 km

## REVIEW - What formula do I use? Ask yourself...

- Is it a right triangle? If Yes, then...



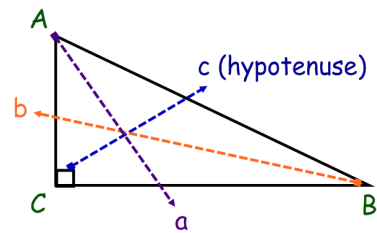
Primary Trigonometric Ratios

$$\sin \theta = \frac{\text{opp}}{\text{hyp}}$$

$$\cos \theta = \frac{\text{adj}}{\text{hyp}}$$

$$\tan \theta = \frac{\text{opp}}{\text{adj}}$$

Pythagorean Theorem



$$c^2 = a^2 + b^2$$

Memory Aid: "SOH CAH TOA"

- If you are finding a side, do you have **SAS**? If Yes, then...

Law of Cosines

$$a^2 = b^2 + c^2 - 2bc \cos A$$

- If you are finding an angle, do you have **SSS**? If Yes, then...

Law of Cosines (rearranged)

$$\cos A = \frac{b^2 + c^2 - a^2}{2bc}$$

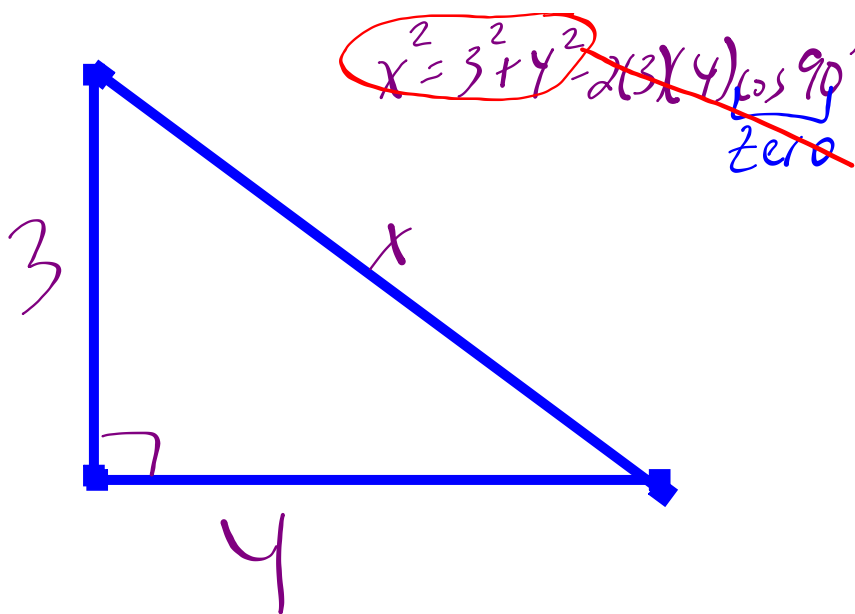
- Anything else...use your Law of Sines!

$$\frac{a}{\sin A} = \frac{b}{\sin B} = \frac{c}{\sin C}$$

"when looking for a side"

$$\frac{\sin A}{a} = \frac{\sin B}{b} = \frac{\sin C}{c}$$

"when looking for an angle"



# HOMWORK...

---

[Puzzle Review - Primary Trig, Law of Sines\\_Cosines.pdf](#)



$$\sin \theta = \frac{\text{opp}}{\text{hyp}}$$

$$\cos \theta = \frac{\text{adj}}{\text{hyp}}$$

$$\tan \theta = \frac{\text{opp}}{\text{adj}}$$

$$c^2 = a^2 + b^2$$

$$a^2 = b^2 + c^2 - 2bc \cos A$$

$$\cos A = \frac{b^2 + c^2 - a^2}{2bc}$$

$$\frac{a}{\sin A} = \frac{b}{\sin B} = \frac{c}{\sin C}$$

$$\frac{\sin A}{a} = \frac{\sin B}{b} = \frac{\sin C}{c}$$

In Class Assignment on Wednesday!

## Attachments

---

Puzzle Review - Primary Trig, Law of Sines\_Cosines.pdf