## Multiple Choice ( $\mathbf{1 5}$ Marks)

## Circle the letter corresponding to the correct solution.

1. Ronald made the following conjecture: 'The difference between two numbers always lies between the two numbers.' Is the following equation a counterexample to this conjecture? Explain.

$$
8-(-3)=11
$$

A) No, it is not a counterexample, because 11 lies between -3 and 8 .
B) No, it is not a counterexample, because 11 is greater than -3 and 8 .
C) Yes, it is a counterexample, because 11 lies between -3 and 8 .
D) Yes, it is a counterexample, because 11 is greater than -3 and 8 .
2. Which of the following choices, if any, uses deductive reasoning to show that an odd number and an even number sum to an odd number?
A) $2 x+2 y+1=2(x+y+1)$
B) $(2 x+1)+2 y=2(x+y)+1$
C) $3+6=9$ and $4+5=9$
D) None of these
3. Determine the unknown term in this pattern:
$2,6,18,54$, $\qquad$ , 486, 14584.
A) 216
B) 196
C) 162
D) 108
4. Which of the following conjectures has a converse that is TRUE?
A) If $x=9$, then $x^{2}=81$
B) If a triangle is equilateral, then all angles in the triangle are $60^{\circ}$
C) If it is raining outside, then the grass is wet.
D) If a quadrilateral is a square, then there are 4 equal sides
5. Which angle property proves $\angle B E D=73^{\circ}$ ?

A) corresponding angles
B) alternate interior angles
C) co-interior angles
D) supplementary angles
6. Which are the correct measures for $\angle Y X Z$ and $\angle X Z Y$ ?
A) $\angle Y X Z=53^{\circ}, \angle X Z Y=91^{\circ}$
B) $\angle Y X Z=53^{\circ}, \angle X Z Y=81^{\circ}$
C) $\angle Y X Z=63^{\circ}, \angle X Z Y=91^{\circ}$
D) $\angle Y X Z=63^{\circ}, \angle X Z Y=81^{\circ}$

7. The sum of the interior angles of a convex polygon measures $2880^{\circ}$. How many sides does the polygon have?
A) 16
B) 17
C) 18
D) 19
8. With which of the following polygons could you create a tiling pattern?
A) a regular hexagon
B) a regular octagon
C) a regular pentagon
D) none of the above
9. Determine the sum of the measures of the interior angles of this polygon.

A) $1080^{\circ}$
B) $1260^{\circ}$
C) $1620^{\circ}$
D) $1440^{\circ}$
10. What type of error, if any, occurs in the following proof?

| 2 | $=2$ |
| :--- | :--- |
| $4(2)$ | $=4(1+1)$ |
| $4(2)+3$ | $=4(1+1)+3$ |
| $8+3$ | $=6+3$ |
| 11 | $=9$ |

A) an error in reasoning
B) an error in calculation
C) a false assumption or generalization
D) there is no error in the proof
11. Which number should appear in the centre of Figure 4?


Figure 1



A) 11
B) 24
C) 36
D) 41
12. Which conjecture, if any, could you make about the product of two odd integers?
A) The product will be an even integer.
B) The product will be an odd integer.
C) The product will be negative.
D) It is not possible to make a conjecture.
13. Paul works at a bicycle store in Miramichi. For the start of spring, the manager of the store has ordered 50 mountain bikes and 10 racing bikes. Which conjecture is Paul most likely to make from this evidence?
A) Either type of bike will sell equally well.
B) Racing bikes will likely sell better than mountain bikes.
C) It will rain all summer and no one will ride bicycles.
D) Mountain bikes will likely sell better than racing bikes.
14. Jackie made the following conjecture: 'The square of a number is always greater than the number.'

Which choice, if either, is a counterexample to this conjecture?
Choice \#1. $\quad 0.5^{2}=0.25$
Choice \#2. $\quad(-5)^{2}=25$
A) Choice 1 only
B) Choice 2 only
C) Choice 1 and Choice 2
D) Neither Choice 1 nor Choice 2
15. Make a conjecture as to which line segment is longer, A or B .

A) I predict that A is longer than B .
B) I predict that B is longer than A .
C) I predict that A and B are the same length.
D) None of these

1. Janna made the following conjecture: 'Every odd number can be written as the sum of three consecutive integers.' Is her conjecture reasonable? If YES, show using inductive reasoning. If NO, find a counterexample.
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Circle: YES / NO
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2. Tony discovered a number trick in a book he was reading:

- Choose a Number
- Add 5
- Double the result
- Subtract 4
- Divide the result by 2
- Subtract the number you started with

Make a conjecture with inductive reasoning (3 times) and then prove it deductively.

## Conjecture:

$\qquad$

| Inductive Reasoning |  |
| :--- | :--- |
|  |  |
|  |  |
|  |  |
|  |  |
|  |  |
|  |  |

3. Andrew, Bertha, Carla, and Dixon all live on the same street. One is a chef, one is a police officer, one is an editor, and one is a travel agent. - Dixon and Carla eat dinner with the editor.

- Andrew and Bertha carpool with chef.
- Carla watches soccer on television with the chef and the editor.

Use the statements above to determine which person is the chef and state your reasoning.

## Chef $\rightarrow$

$\qquad$
Reasoning...
4. Determine the value of the unknowns in each of the following...
a)

$a=$ $\qquad$ $b=$ $\qquad$

$$
c=
$$

$\qquad$ $d=$ $\qquad$
b)

$a=$ $\qquad$
$b=$ $\qquad$
$c=$ $\qquad$
5. Complete the following proof by providing statements and justifications.

PROVE: $F G \| H I$ given the following diagram...

| STATEMENT | JUSTICATION |
| :--- | :--- |
|  |  |
|  |  |


6. Determine the measure of $\angle R Q S$. State $A L L$ other angles you find with justifications that lead to finding $\angle \boldsymbol{R Q S}$.

$\qquad$

